



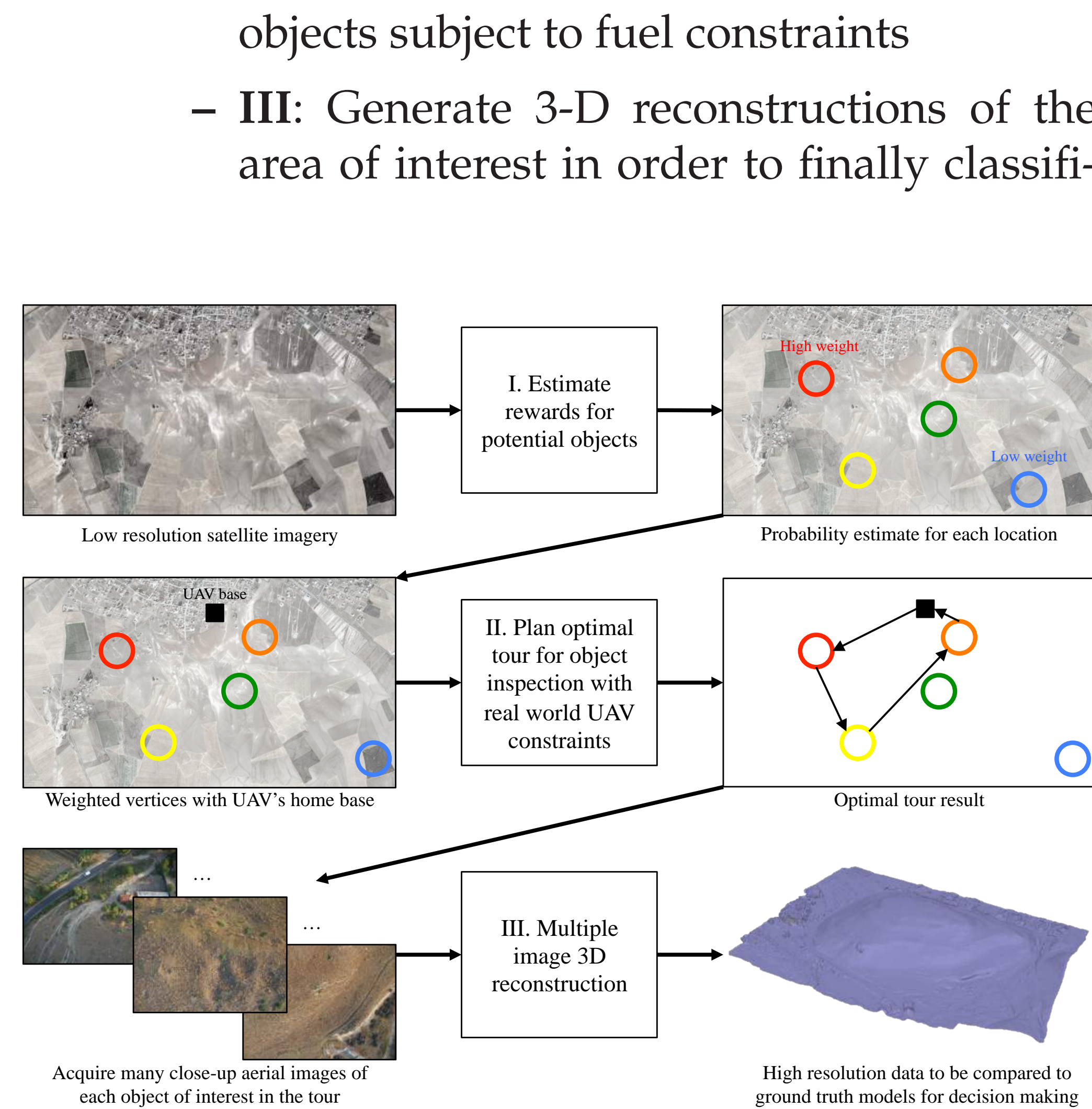
A MULTI-RESOLUTION APPROACH FOR DISCOVERY AND 3D MODELING OF ARCHAEOLOGICAL SITES USING SATELLITE IMAGERY AND A UAV-BORNE CAMERA

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INTRODUCTION

- **Motivation:** Team of archaeologists at BU who are interested in studying burial mound structures from the ancient Lydian civilizations currently located in Turkish countryside
- **Problem:** Some burial mound locations are known, but the countryside is too vast to send specialized teams of workers to inspect each potential future dig site
- **Current Technology:** Coarse satellite imagery
- **Proposed Solution:** Three stage method for discovering new sites using autonomous aerial vehicle submitted to ACC 2016 [1]:
 - **I:** Utilize low resolution satellite imagery coupled with machine learning algorithms to perform a coarse search and identify tentative locations of interest
 - **II:** Plan an optimal trajectory using previous weights to inspect closely promising



I – LEARNING

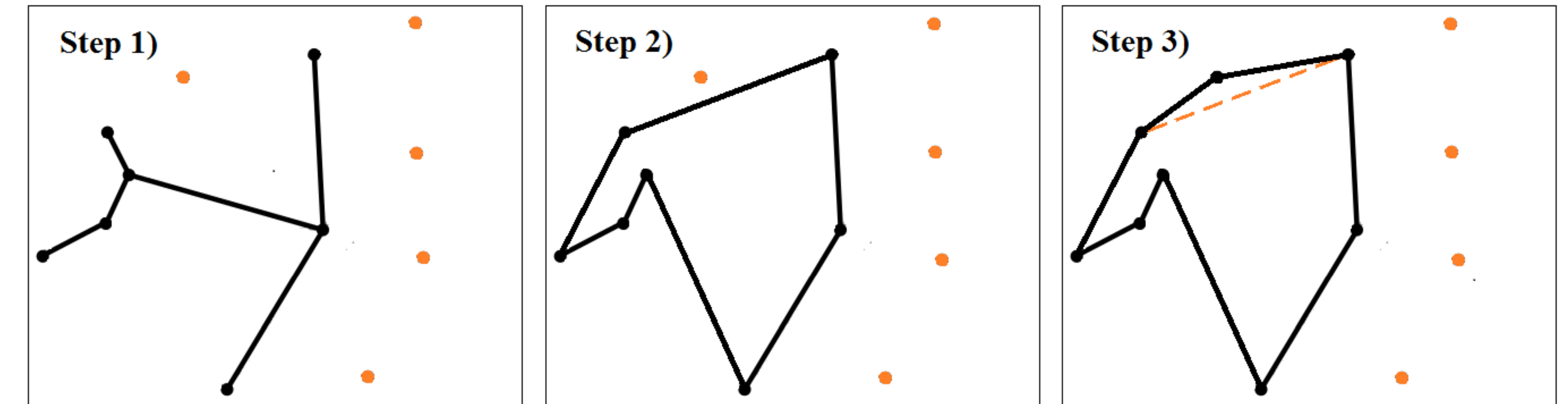
- Standard binary learning problem
- Training examples: $(x_1, y_1), \dots, (x_n, y_n)$ where $x_i \in \mathcal{R}^d$ and $y_i \in \{0, 1\}$
- Learn a classifier: $f = \text{sign}(w^T x)$
- $\hat{w} = \arg \max_w \frac{1}{n} \sum_{i=1}^n \log(1 + \exp(-y_i w^T x_i))$
- Probability estimate for location i : $\hat{p}(x_i) = \frac{1}{1 + \exp(-\hat{w}^T x_i)}$
- Entropy as reward for location i : $H(\hat{p}(x_i)) = -\hat{p}(x_i) \log(\hat{p}(x_i)) - (1 - \hat{p}(x_i)) \log(1 - \hat{p}(x_i))$

II – PATH PLANNING

- Orienteering problem:
 - $G = (V, E)$ where $V = \{v_1, \dots, v_n\}$ and $E = \{(v_i, v_j), i < j\}$; Start and end node: v_1
 - Node reward: $r_i \equiv H(\hat{p}(x_i))$; Expanded edge cost: c_{ij} ; Budget on cost: B
 - **Objective:** Maximize the total rewards of the nodes being visited without exceeding the cost budget

II – PATH PLANNING (CONT)

- New algorithm:
 - Step 1): Grow a tree to visit nodes of high marginal reward within the budget
 - Step 2): Run Lin-Kernighan-Helsgaun algorithm to find a tour on the nodes of the tree
 - Step 3): Exploit leftover budget and insert more nodes into the tour

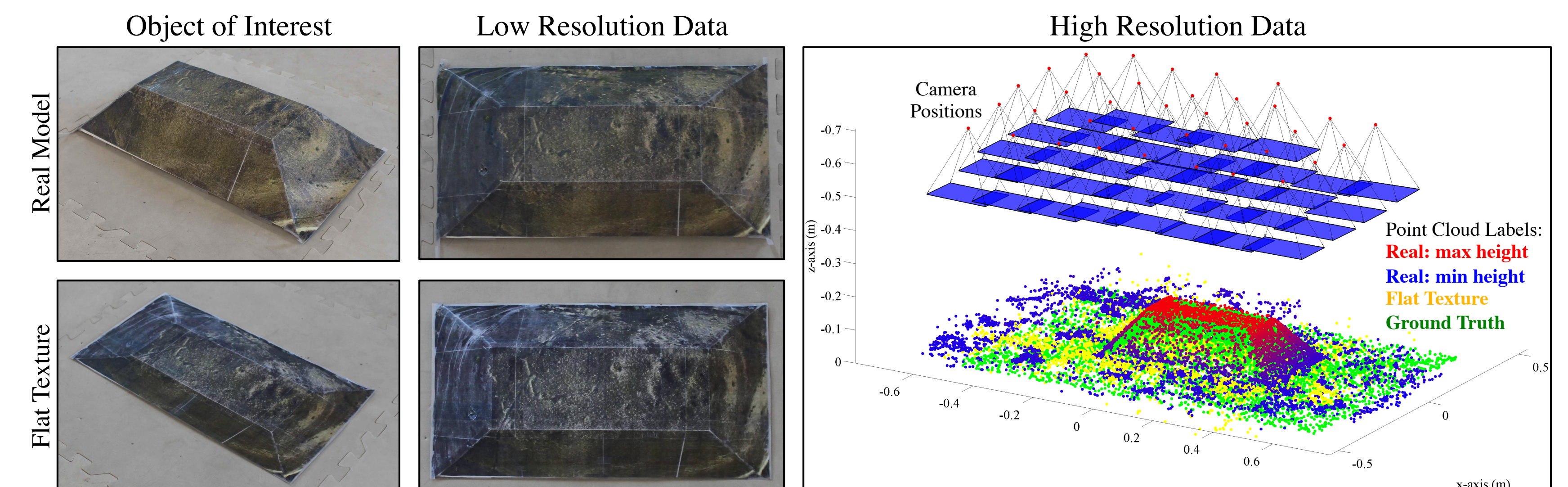


III – MULTIPLE VIEW 3-D RECONSTRUCTION

- **Input:** Images I_k , $k = 1, \dots, m$ taken of the same $\mathbf{P}^i \in \mathbb{R}^3$, $i = 1, \dots, n$ world features.
 - Pixel position of i^{th} world feature in camera k (\mathbf{p}_k^i) are given by the pinhole camera model: $\lambda_k^i \begin{bmatrix} \mathbf{p}_k^i \\ 1 \end{bmatrix} = \mathbf{K} \mathbf{P}_k^i$
- **Objective:** Estimate the relative transformations ($\mathbf{R}_{k1}, \mathbf{t}_k$) between the k^{th} camera frame and the reference frame (camera 1) as well as the unknown feature depths (λ_1^i) such that the following reprojection error from the estimated 3D points is minimized,

$$\sum_{k=1}^m \sum_{i=1}^n \alpha_{ik} \left\| \lambda_k^i \mathbf{p}_k^i - \mathbf{K} \left(\mathbf{R}_{k1} (\lambda_1^i \mathbf{K}^{-1} \mathbf{p}_1^i) + \mathbf{t}_k \right) \right\|^2$$

- **Solution:** Utilize Levenberg–Marquardt algorithm with accurate initialization from two-view epipolar geometry and least squares estimation given the image features that were extracted and matched among the images.
- **Results:** Comparison of 3D reconstruction of two different objects with similar low-resolution data
 - Iterative Closest Point algorithm computed mean distances from the ground truth data to the real model ($\sim 0.08m$) and the flat texture ($\sim 0.18m$)



REFERENCES

- [1] H. Ding, E. Cristofalo, J. Wang, D. Castañon, E. Montijano, V. Saligrama, and M. Schwager, "A multi-resolution approach for discovery and 3d modeling of archaeological sites using satellite imagery and a uav-borne camera," in *2016 American Control Conference (ACC)*, Submitted Sept. 2015.