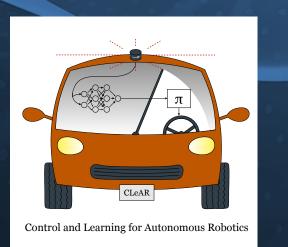
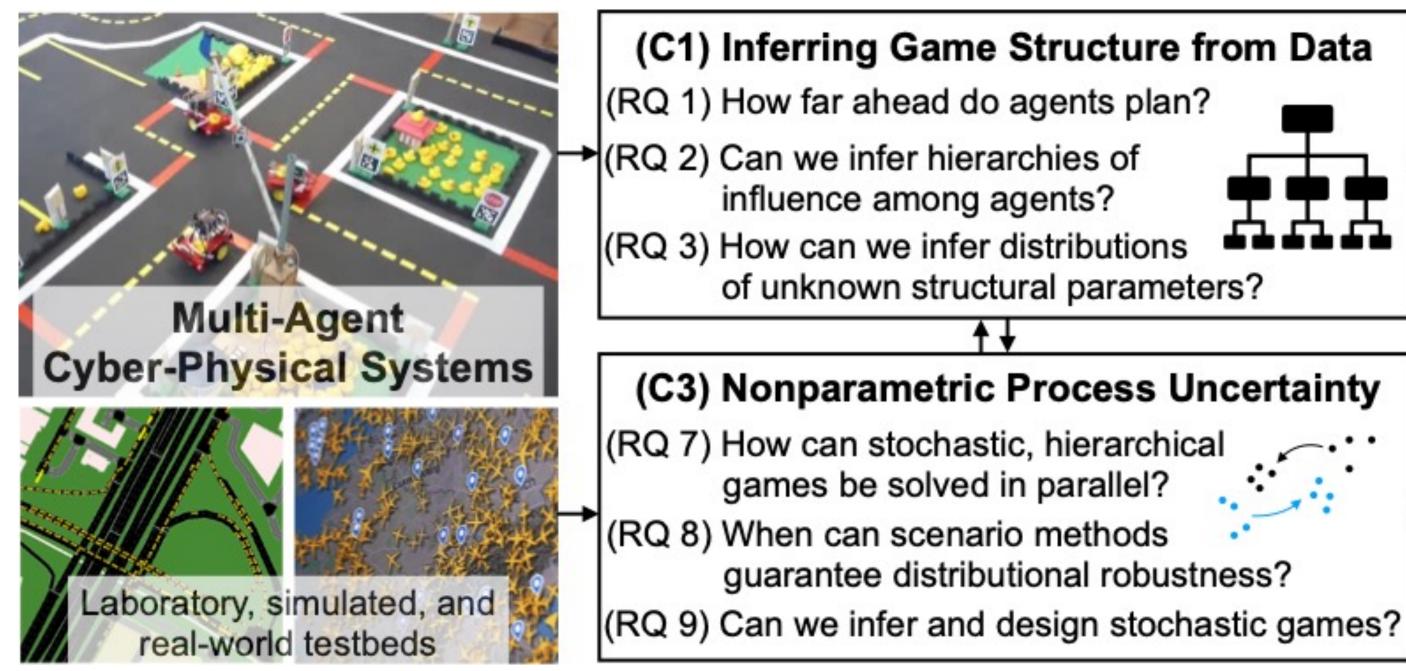
CAREER: Game Theoretic Models for Robust Cyber-Physical Interactions: Inference and Design under Uncertainty

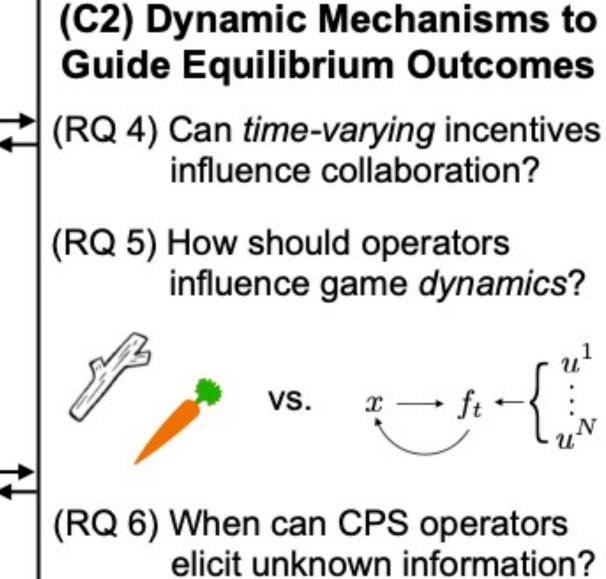
David Fridovich-Keil, UT Austin

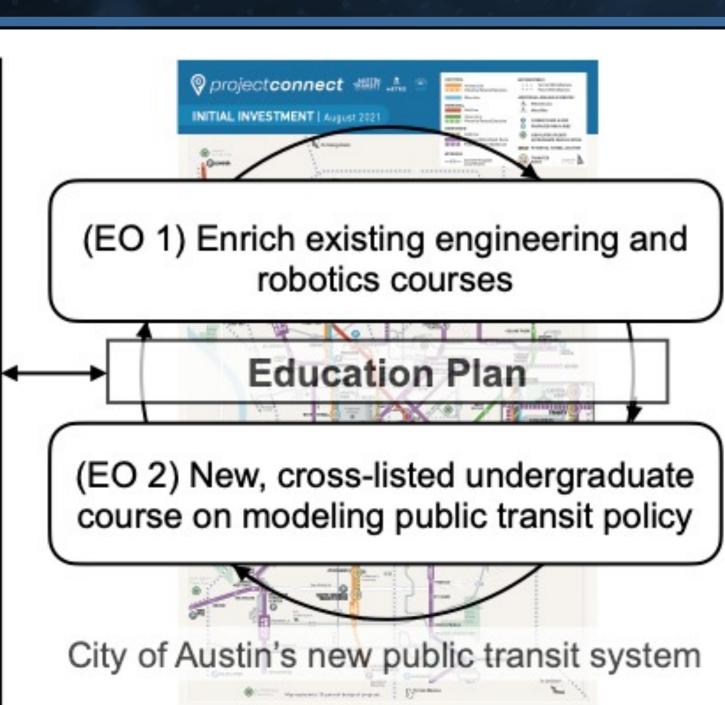






(C1) Inferring Game Structure from Data (RQ 1) How far ahead do agents plan? (RQ 2) Can we infer hierarchies of influence among agents? (RQ 3) How can we infer distributions of unknown structural parameters? (C3) Nonparametric Process Uncertainty (RQ 7) How can stochastic, hierarchical games be solved in parallel? (RQ 8) When can scenario methods guarantee distributional robustness?





Key Challenges

- How can we *infer* the structure of strategic cyber-physical interactions? (uncertain rationality and hierarchy)
- 2. How and when can we *design* interaction structure to incentivize desired outcomes? (beyond static, reactive mechanisms)
- 3. How can we design algorithms to cope with unstructured model uncertainty? (beyond typical Gaussian assumptions)

Scientific Impact

- 1. Theoretical framing which emphasizes the dynamic, time-varying nature of interactions as a first-class citizen.
- 2. Smooth, differentiable formulation of both inference and design problems to admit efficient solution methods.
- 3. Extension of computationally parallel scenario optimization approaches to cope with uncertainty in dynamic games.

Technical Approach Sampled approximations Inference and design as to stochastic games can be smooth *inverse games* solved in parallel Key enabler: second-order $\underline{\boldsymbol{\theta}^*} = \arg\min_{\boldsymbol{\theta}, \mathbf{x}, \mathbf{u}} \sum_{t=1} \|y_t - h(x_t, \mathbf{u}_t)\|_2^2$ methods for subject to (\mathbf{x}, \mathbf{u}) a Nash solution for $\{J_{\theta^i}^i(\cdot)\}_{i=1}^N$ $\mathbf{u}^{i*} = \arg\min \ \mathbb{E}_{\delta \sim p_{\delta}} \left| \sum_{t} J^{i}(x_{t}, \mathbf{u}_{t}; \delta) \right|$ (Agent i's stochastic problem) solving feedback Nash games subject to $x_{t+1} - f_t(x_t, \mathbf{u}_t; \delta) = 0, \forall t \in \{1, ..., T-1\}$ (stochastic dynamics) $\mathbf{u}^{i*} = \arg\min_{\mathbf{u}^i} \ \frac{1}{S} \sum_{i=1}^{S} \sum_{t=1}^{T} J^i(x_t, \mathbf{u}_t; \delta_j),$

Broader Impacts

- New modeling tools for transit planners and regulators to guide policy decisions
- Reduced emissions, safer roads, more reliable air traffic management
- Extensions beyond transport, e.g., power distribution



Education and Outreach

- Expansion of existing course on game theory and multi-agent systems
- New undergraduate course on transportation modeling and policymaking



Training REU students from UT and other MSIs