

Towards Effective and Efficient Sensing-Motion Co-Design of Swarming Cyber Physical Systems

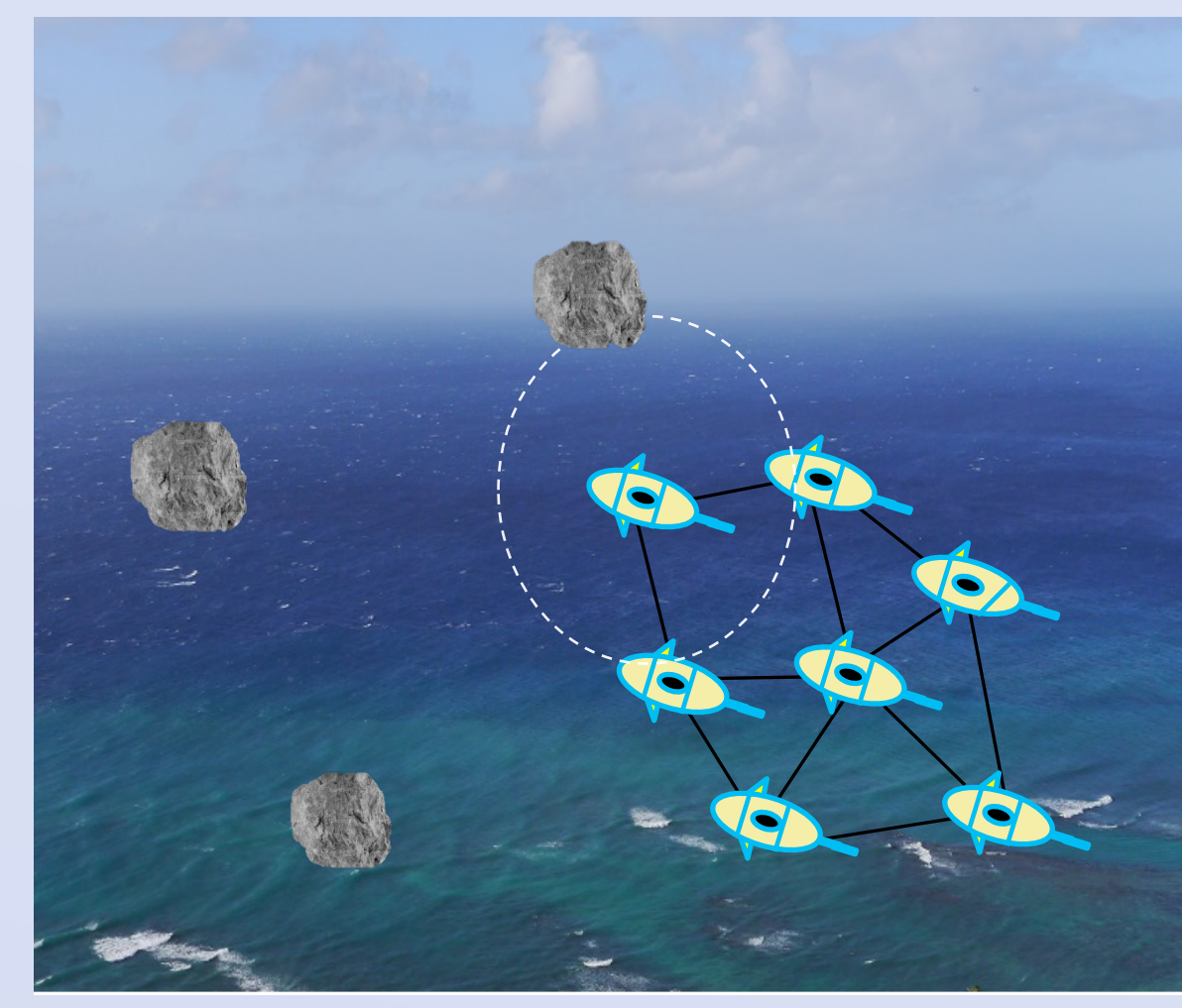


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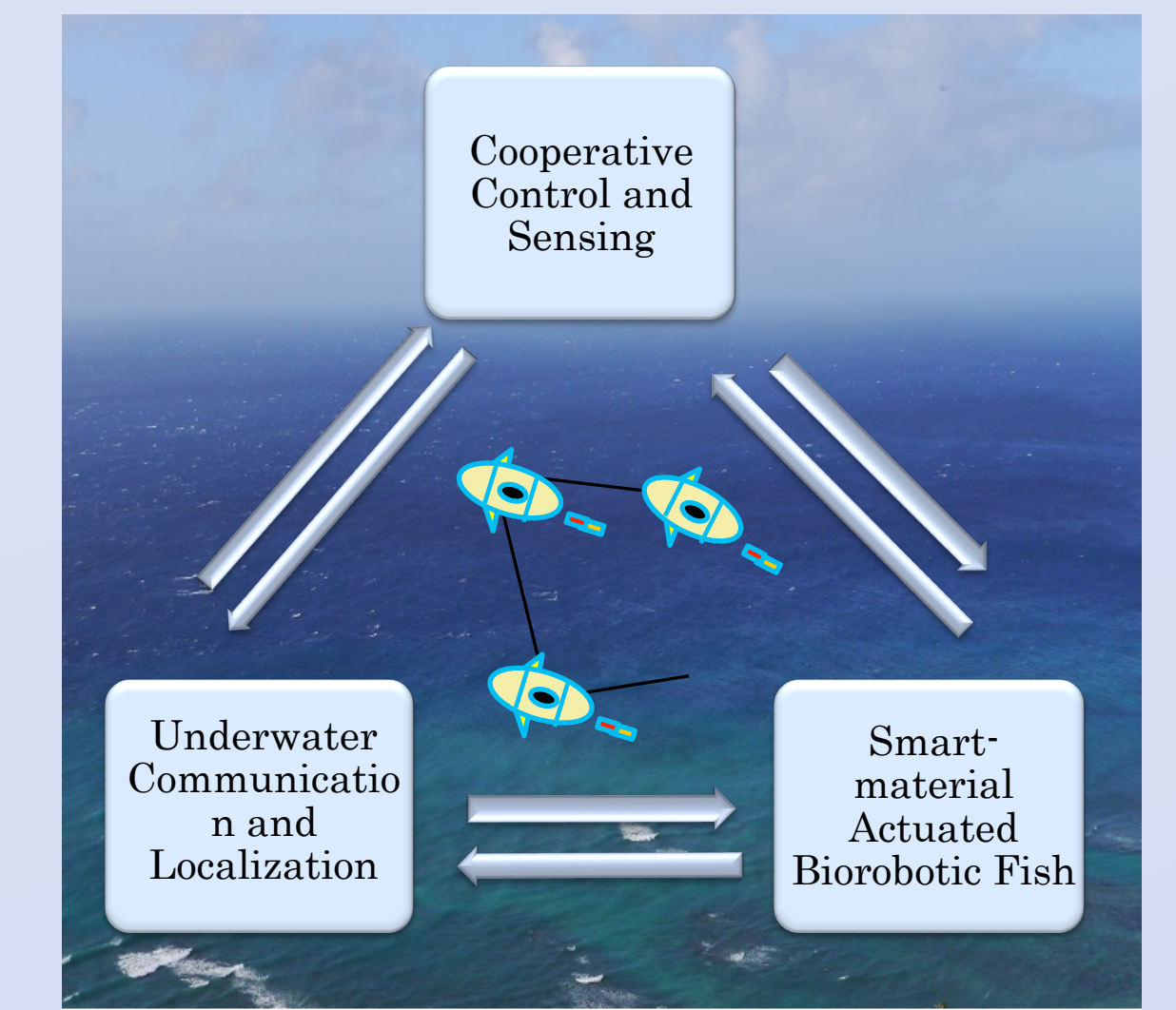
Motivations and Challenges

- Complex and strongly coupled sensing-motion dynamics of swarming CPS
- Inherent environmental uncertainties such as communication delay and package loss, unpredictable and/or confined spaces, and highly spatially and temporally varying environments
- Resource constraints of mobile computing entities such as limited computational power, communication capability, and sensing ability



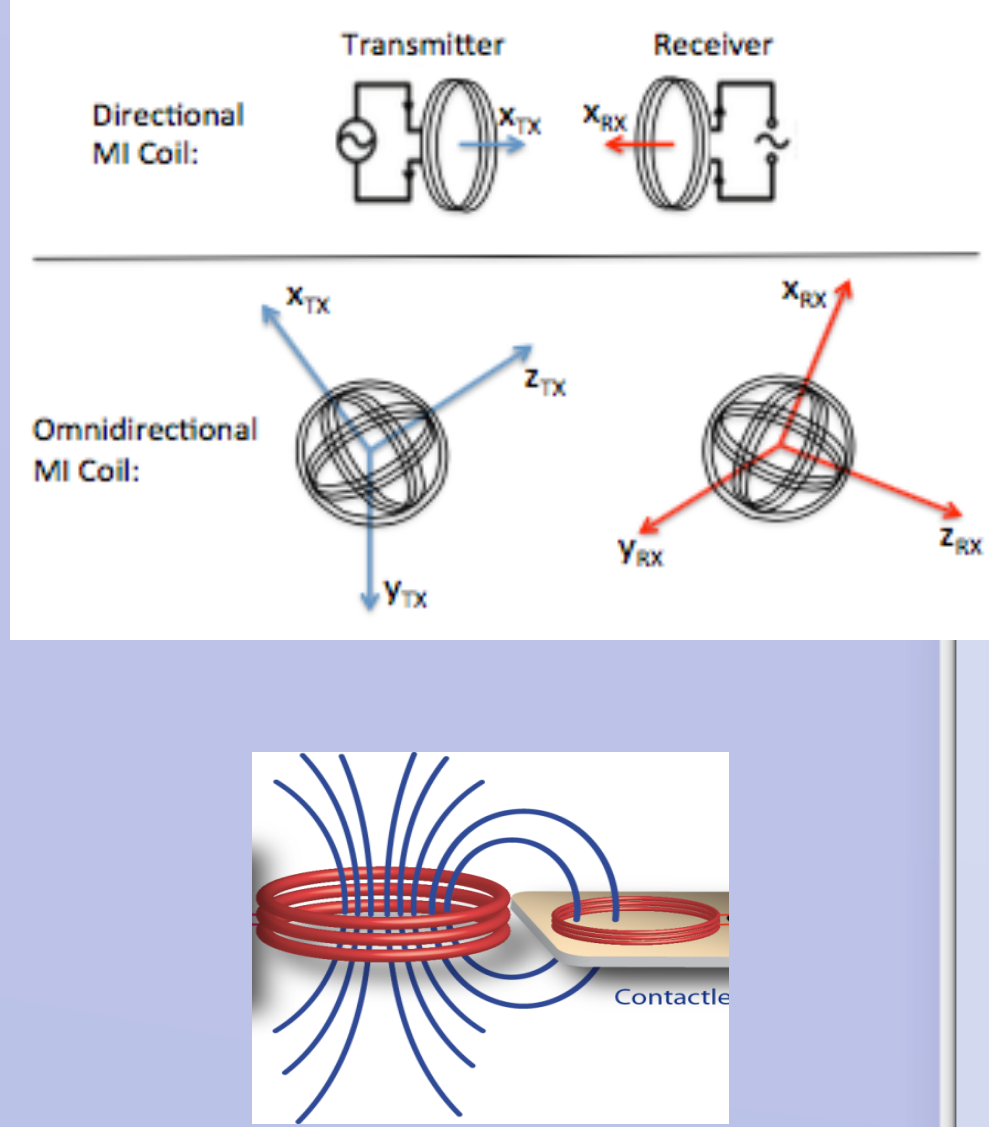
Objectives

- The overall research objective is to establish and demonstrate a generic motion-sensing co-design procedure that
 - significantly reduces the complexity of mission design for swarming CPS
 - greatly facilitates the development of effective and efficient control and sensing strategies, which are computation efficient, communication light, and adaptive to various environment uncertainties



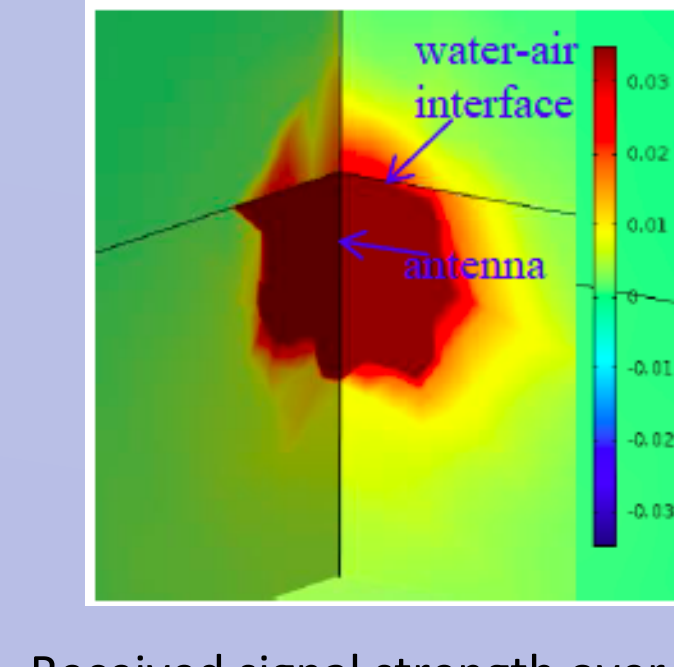
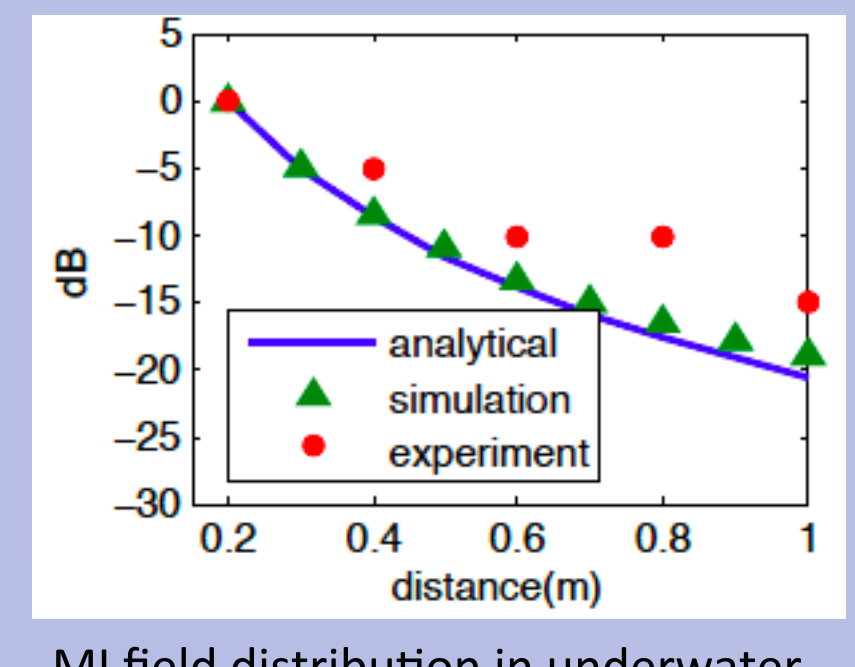
MI Underwater Communications & Localization

- Magnetic Induction (MI) communication is realized by a time varying magnetic field through 3D coil antenna.
- Each robot in the swarm is equipped with an MI transceiver:
 - To enable low-delay communication among robots for real time control
 - To provide accurate position information of each robot
- The new contribution of this project:
 - Comprehensive understanding of MI underwater channel characteristics
 - Design and implementation of MI underwater transceivers using 3D coil antennas
 - Design and implementation of MI underwater localization system



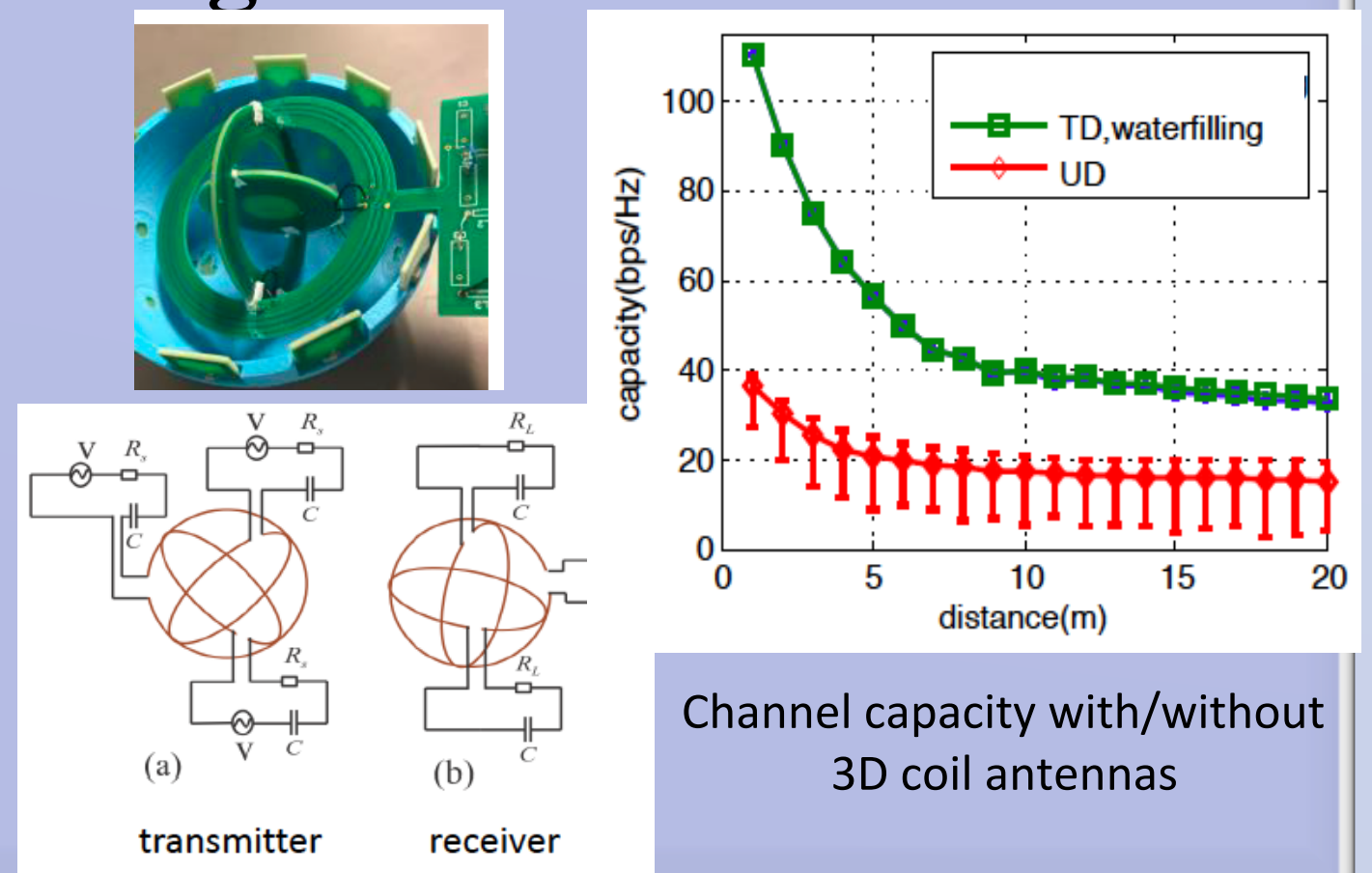
MI Transceiver with 3D Coil Antenna

- We can quantitatively and analytically characterize the underwater magnetic field propagation:
 - At any point in the 3D underwater space
 - Both the near and far fields of all feasible signal bands
 - The impacts of lossy underwater medium on not only the propagation path but also the MI antenna itself are captured



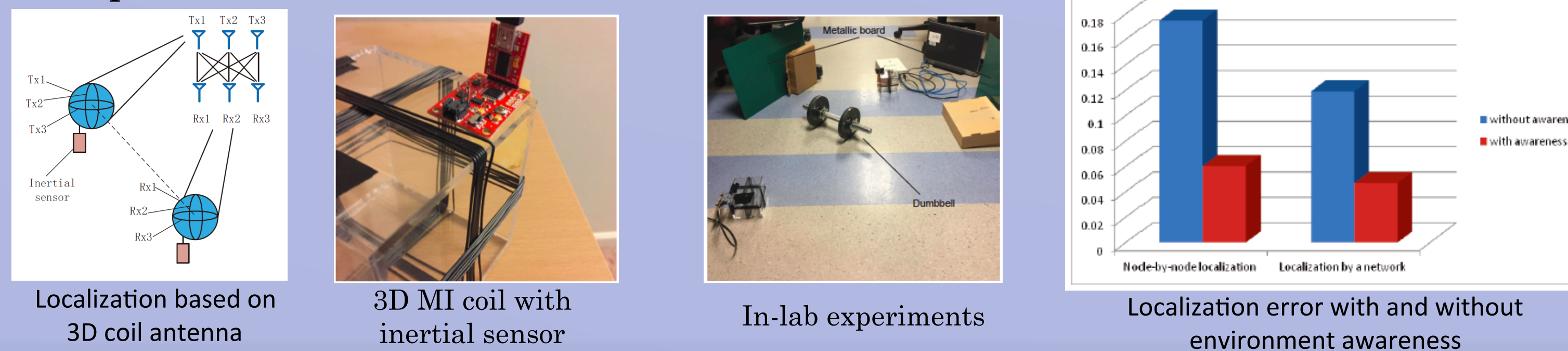
MI Underwater Transceivers using 3D Coil Antennas

- The arbitrarily orientated Tri-directional (TD) coil antenna that can eliminate the MI antenna's susceptibility to orientation changes
- The three orthogonal coils at both transmitter & receiver form a 3 by 3 MIMO system
- By using waterfilling algorithm, the 3D coil antenna can achieve much higher channel capacity and much reliable performance



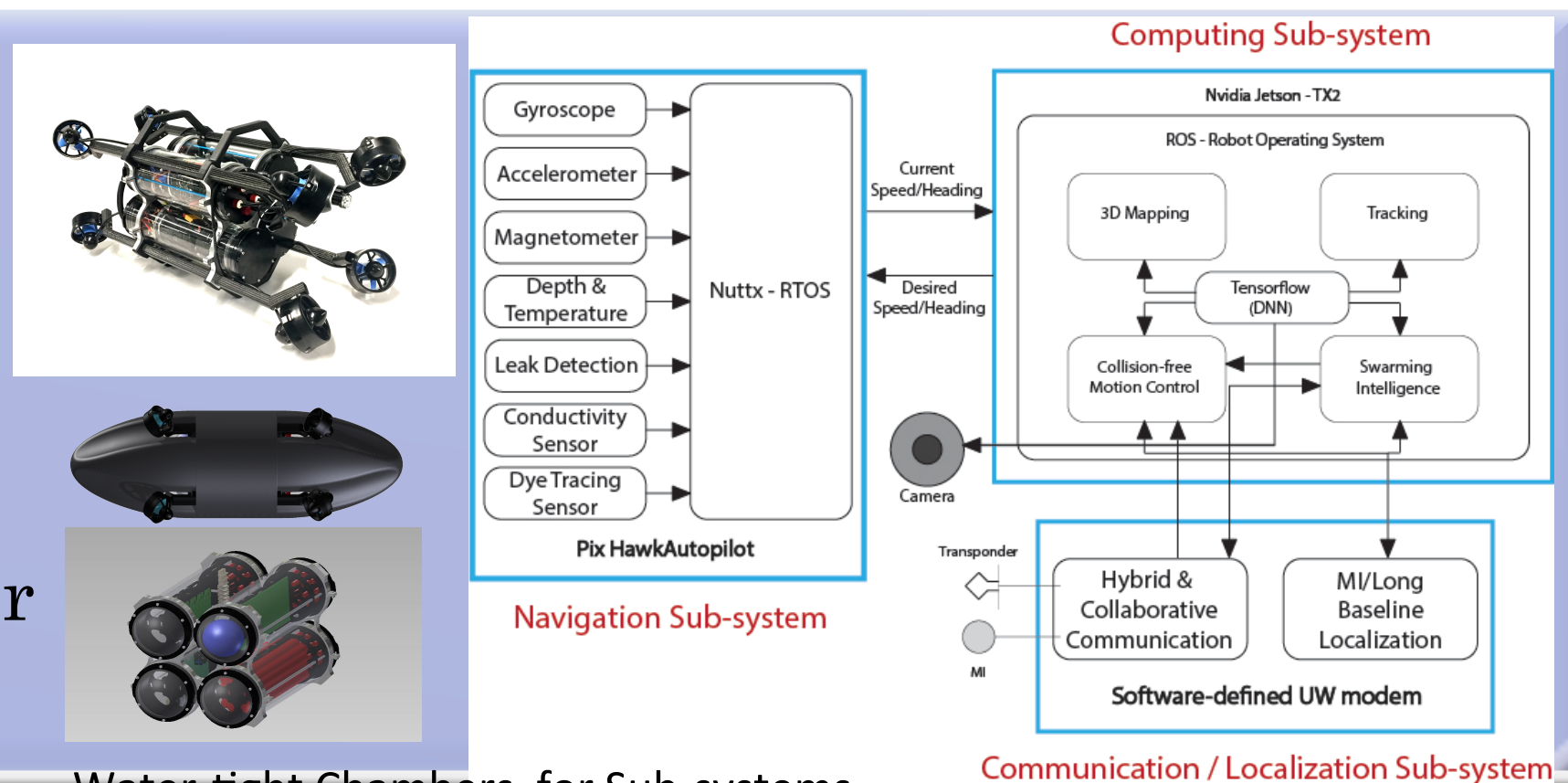
MI Underwater Localization

- We developed a joint device localization and environment sensing algorithm
 - To estimate the position of each robot in the swarm
 - Also estimate the distribution of the high-conductive objects in underwater
 - Additional inertial sensor to further improve the accuracy
- Experimental validation based on in-lab testbed



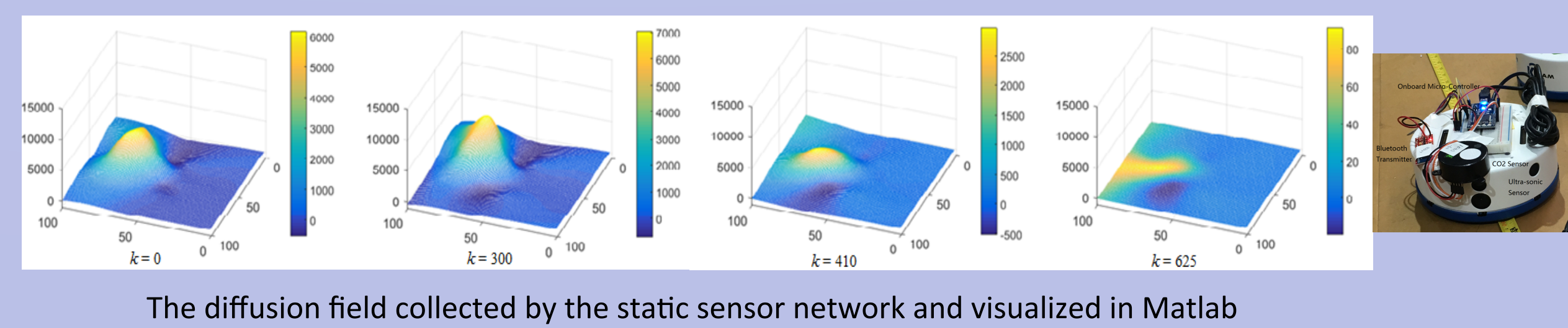
DeepBlue

- Underwater wireless Communication
- AI-powered Navigation with swarm collision avoidance and 3D-localization
- High-performance Computing using Nvidia mobile micro-datacenter
- Power Management through underwater wireless charging

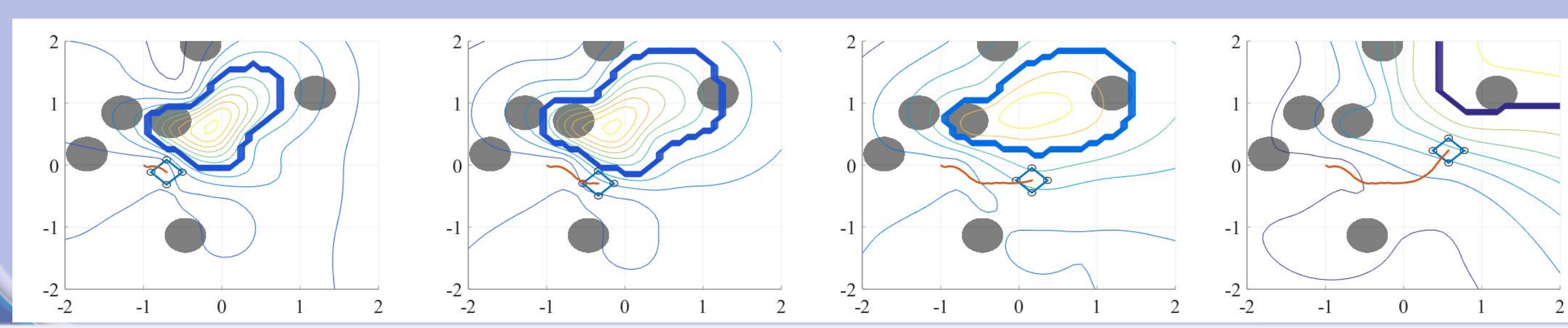


Cooperative Parameter Identification and Source Seeking in Spatially Distributed Fields

- Many environmental processes are spatial-temporal varying that can be described by partial differential equations (PDEs)
- Source seeking is one of the fundamental and representative missions for swarming CPS with a wide range of practical applications
- A cooperative filtering scheme is developed to achieve online parameter identification and source seeking of the spatial-temporal varying field using a swarming CPS
- Source seeking algorithms are extended to take into account the obstacles and hazard zones in the field that the robots should avoid
- We build a controllable CO₂ diffusion field to allow the validation of the proposed algorithms under realistic uncertainties and disturbances
- A CO₂ static sensor network is constructed to calibrate the field



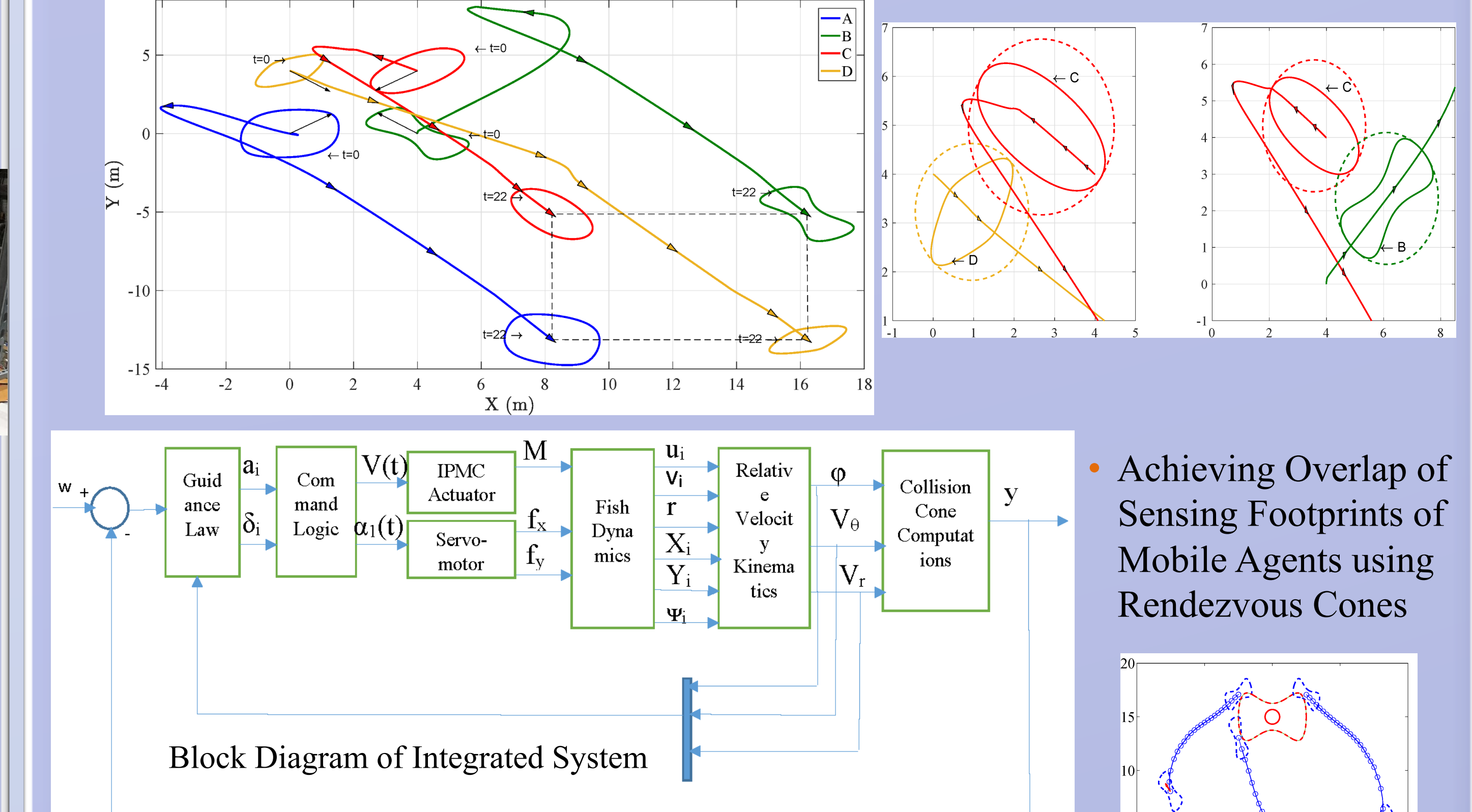
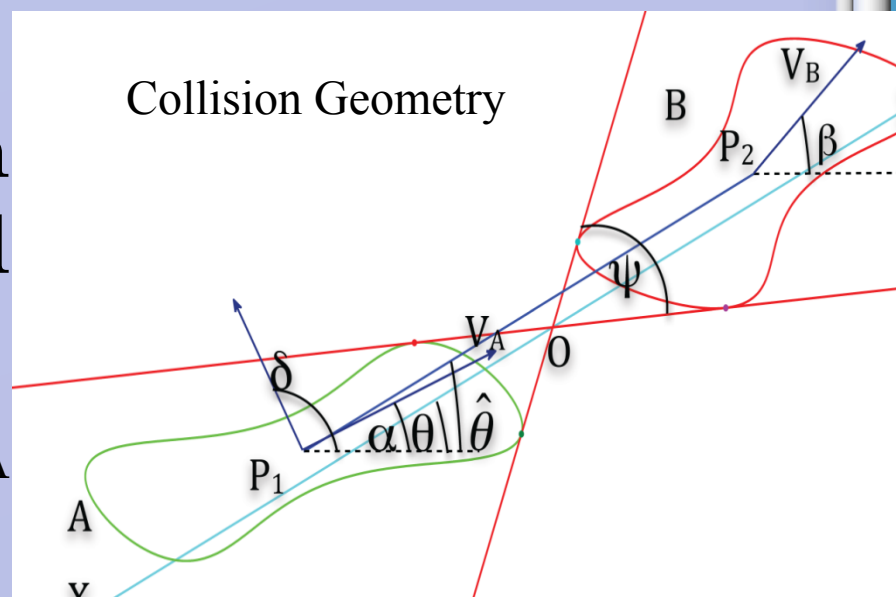
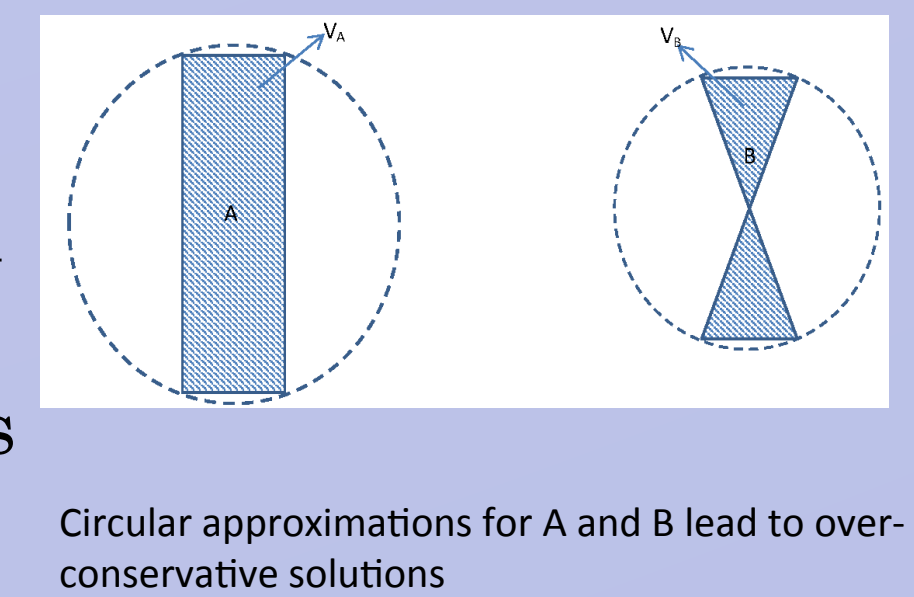
- Experiments are conducted using four Khepera IV mobile robots with CO₂ sensors in the controllable diffusion field
- The four robots successfully locate the source of the diffusion field while providing the online estimate of the diffusion coefficient
- Simulations are conducted in the realistic diffusion field collected by the sensor network with obstacles and hazard zones



Cooperative Motion and Sensing Co-design

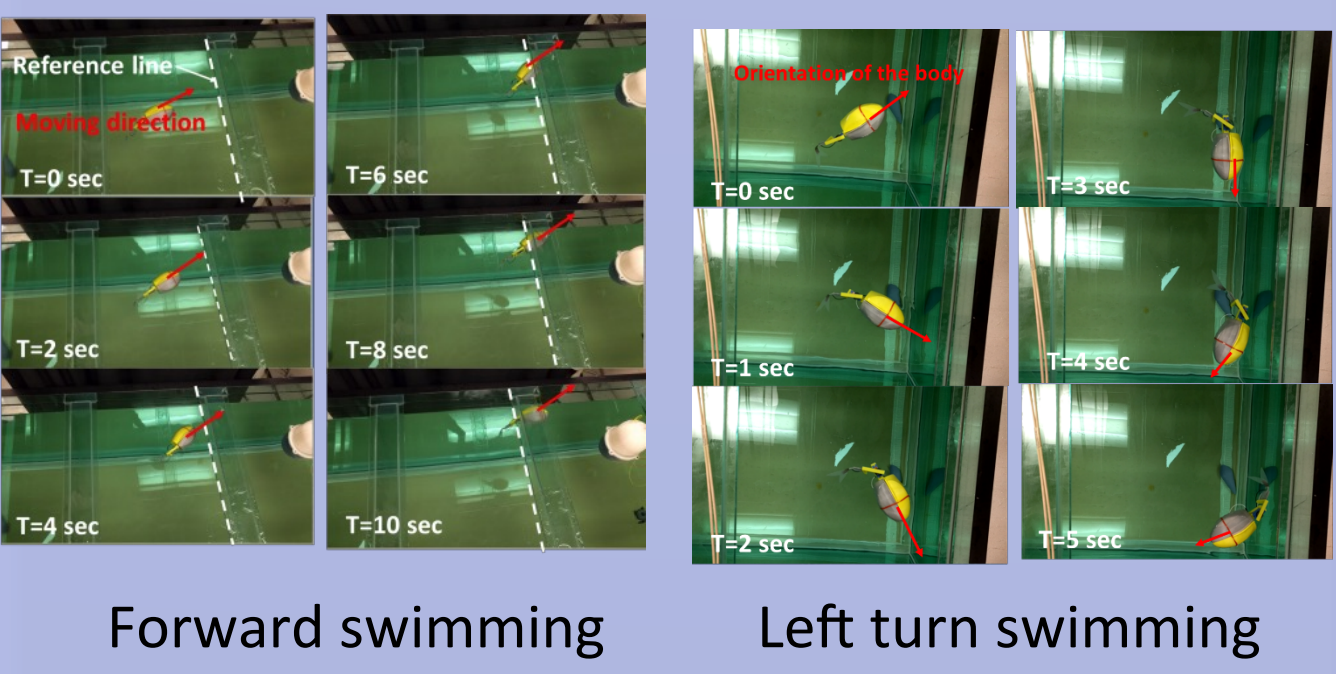
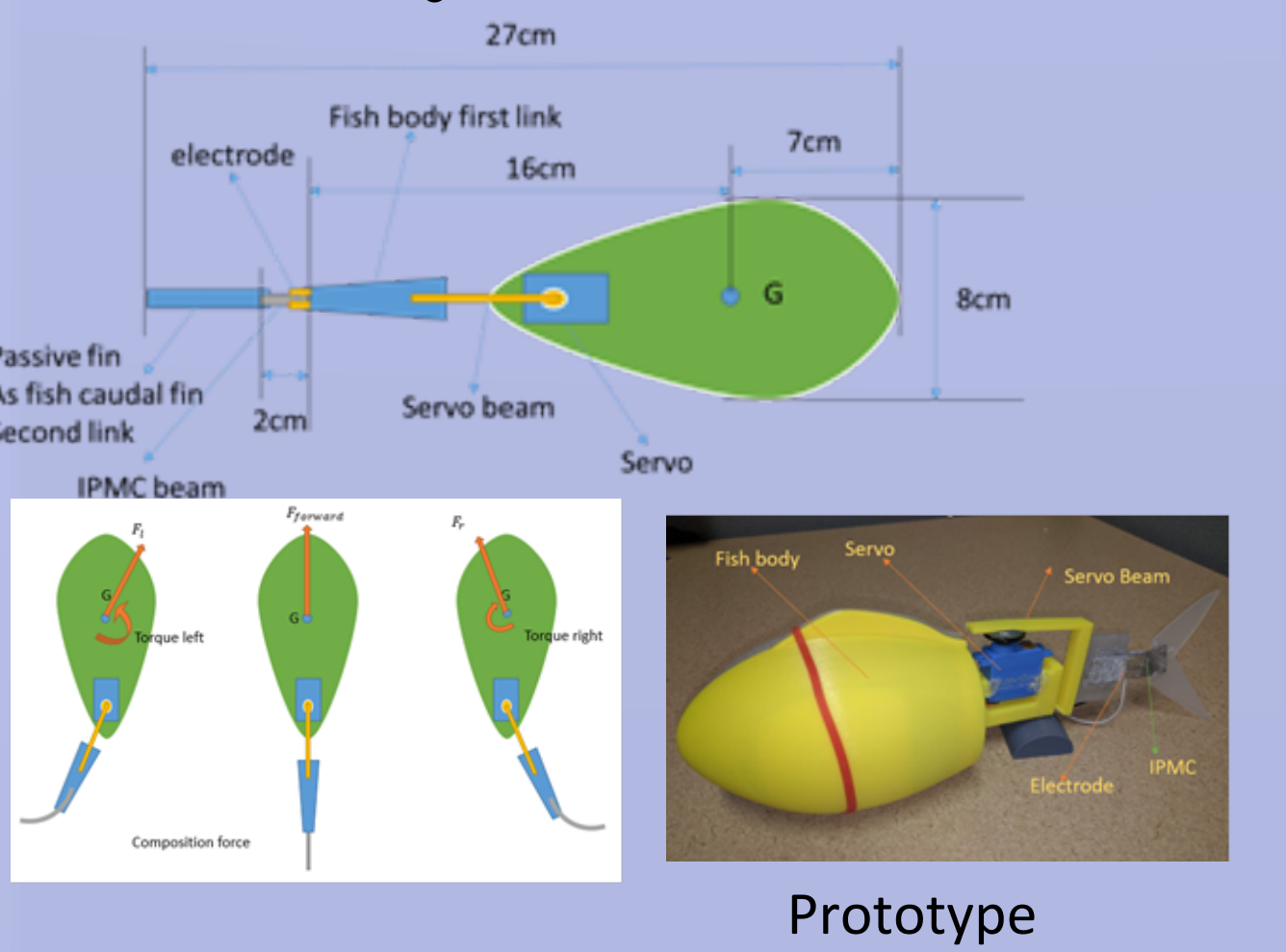
Collision Avoidance

- Collision avoidance is an important requirement in vehicle swarms.
- We employ the collision cone approach to determine analytical guidance laws for collision avoidance
- These analytical guidance laws lead to computational savings on resource-constrained robotic platforms
- These guidance laws are determined for objects of arbitrary shapes, and do not require the objects to be approximated by circles/polygons as is commonly done in the literature
- Two cases are considered for the collision avoidance acceleration magnitude (a_A) and direction (δ):
 - a_A is of variable magnitude, and δ is such that a_A acts orthogonal to the velocity vector of the robot.
 - a_A is of constant magnitude, and δ is variable.
- Demonstration of cooperative collision avoidance laws with formation control in a dynamic environment with multiple robotic fish



Smart-material Actuated Biorobotic Fish

2D Maneuverable Robotic Fish Propelled by Servo/IPMC Hybrid Tail



Dynamic Modeling

$$\beta = \arctan\left(\frac{v}{u}\right) \quad |v_c| = \sqrt{u^2 + v^2}$$

$$(m_b - X_u)\dot{u}(t) = (m_b - Y_v)v(t)r(t) + F_x(t)$$

$$(m_b - Y_v)\dot{v}(t) = -(m_b - X_u)u(t)r(t) + F_y(t)$$

$$(J_{bz} - N_r)\dot{r}(t) = (Y_v - X_u)u(t)v(t) + M_z(t)$$

Thrust and drag forces

$$F_D = \frac{1}{2}\rho_w |v_c|^2 SC_D \quad F_L = \frac{1}{2}\rho_w |v_c|^2 SC_L \beta \quad M_D = -C_M r^2 \operatorname{sgn}(r)$$

$$F_x = T_1 \sin \alpha_1 + T_2 \sin \alpha_2 - F_D \cos \beta + F_L \sin \beta$$

$$F_y = T_1 \cos \alpha_1 + T_2 \cos \alpha_2 - F_D \sin \beta - F_L \cos \beta$$

$$M_z = M_D + T_1 a_1 \cos \alpha_1 + T_2 a_1 \cos \alpha_2 + M_1$$

$$M_z(t) = -\rho_w \frac{\pi}{4} \left(\Gamma_1(\omega) \dot{\alpha}_1(t) (\lambda_1 + 2L_0 \lambda_r + L_0^2 \lambda_r^2) + \Gamma_2(\omega) (\dot{\alpha}_2(t) \lambda_2 + \chi(t) \lambda_b) \right)$$

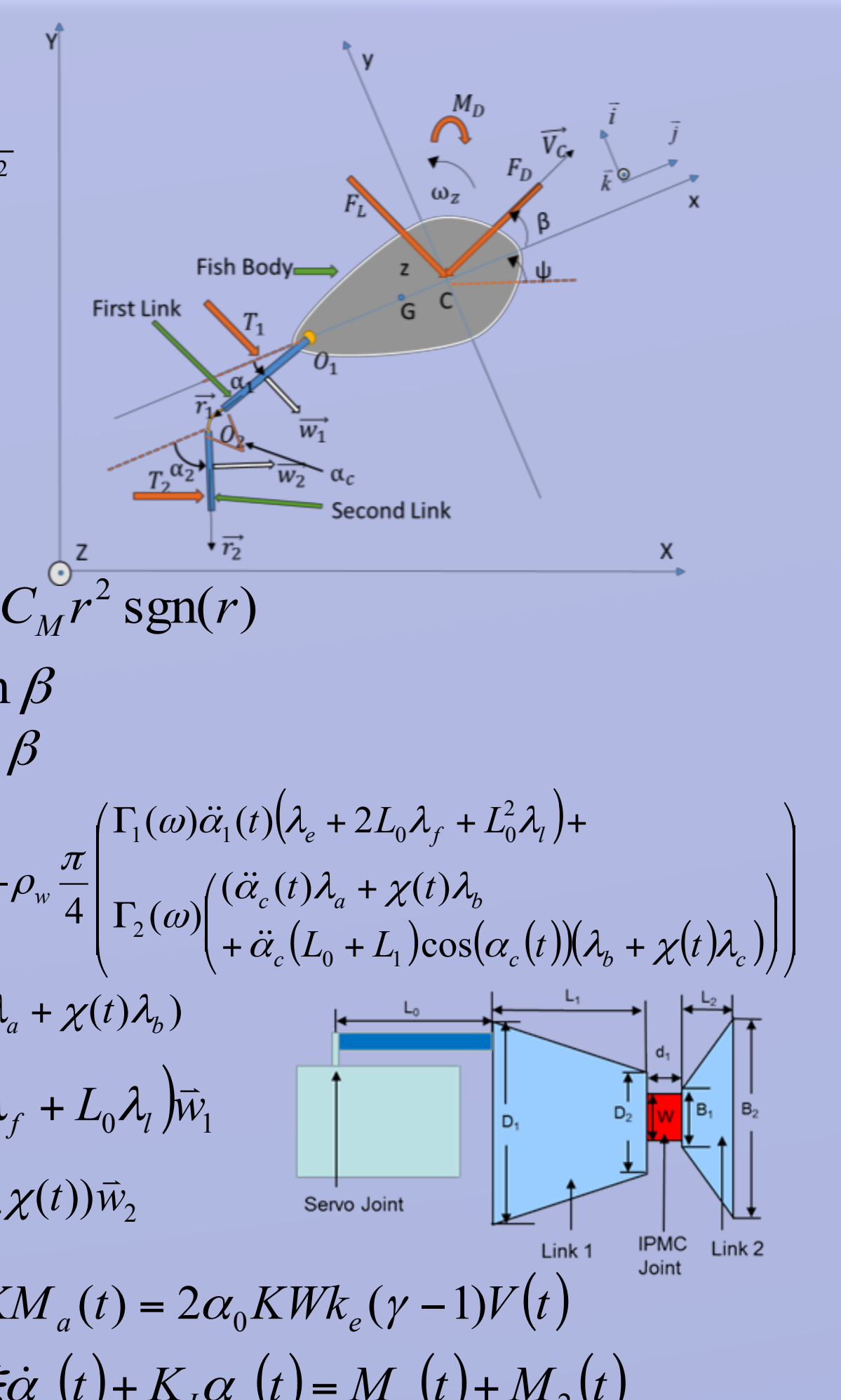
$$M_2(t) = \int_0^{a_0+L_1} \bar{F}_{h1}(\tau_1, t) d\tau_1 = -\rho_w \frac{\pi}{4} \Gamma_1(\omega) \dot{\alpha}_1(t) (\lambda_r + L_0 \lambda_r) \bar{w}_1$$

$$\bar{T}_1(t) = \int_0^{a_0+L_1} \bar{F}_{h1}(\tau_1, t) d\tau_1 = -\rho_w \frac{\pi}{4} \Gamma_1(\omega) \dot{\alpha}_1(t) (\lambda_r + L_0 \lambda_r) \bar{w}_1$$

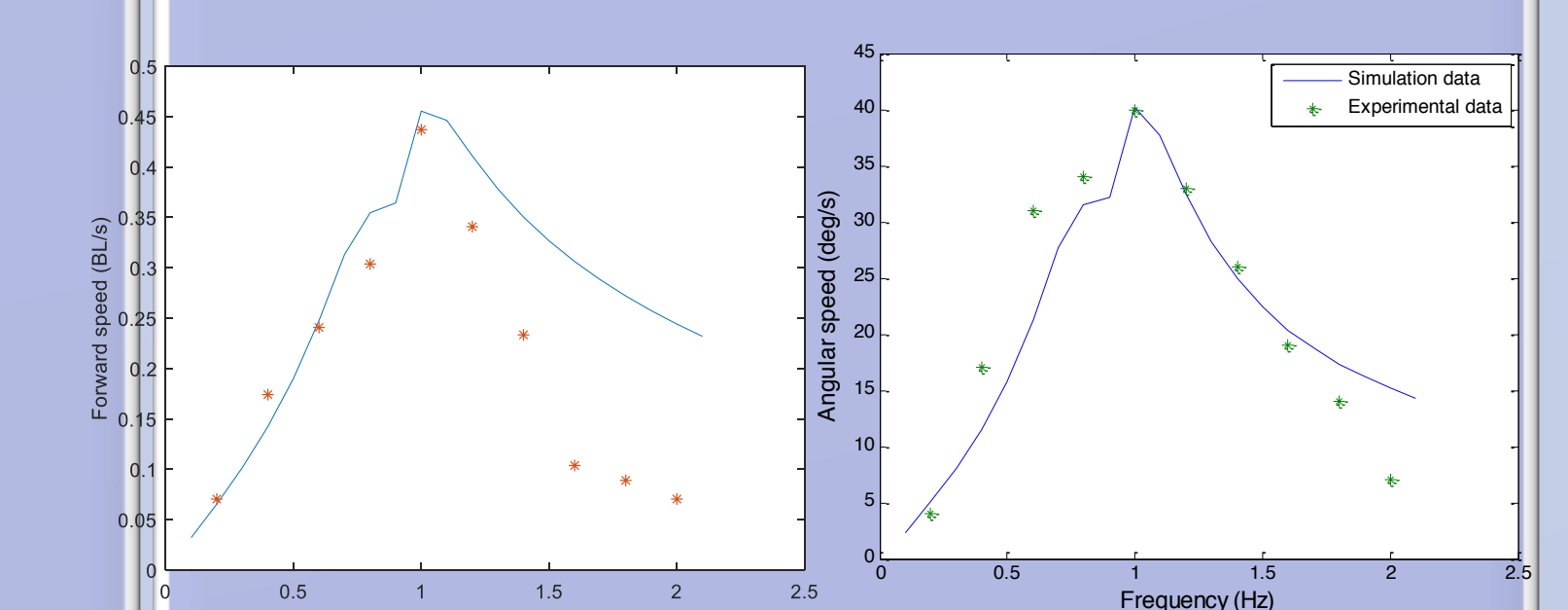
$$\bar{T}_2(t) = \int_0^{a_0+L_1} \bar{F}_{h2}(\tau_2, t) d\tau_2 = -\rho_w \frac{\pi}{4} \Gamma_2(\omega) (\dot{\alpha}_2(t) \lambda_b + \lambda_r \chi(t)) \bar{w}_2$$

$$\text{IPMC fin dynamics: } \gamma \dot{M}_o(t) + KM_o(t) = 2\alpha_0 KWk_c (\gamma - 1) V(t)$$

$$K = \frac{F^2 d C^-}{k_e R T} (1 - C^- \Delta V) \quad \gamma = h \sqrt{\frac{K}{d}} \quad I_2 \ddot{\alpha}_c(t) + \xi \dot{\alpha}_c(t) + K_1 \alpha_c(t) = M_o(t) + M_2(t)$$



Model Validation



W	L ₁	L ₂	D ₁	D ₂
0.01 m	0.03 m	0.04 m	0.045 m	0.045 m
B ₁	B ₂	d ₁	L ₂	ρ_w
0.026 m	0.04 m	0.01 m	0.04 m	1000 kg/m ³
ξ	h	C ⁻	Y	
0.001	280 μ m	1091	2.91×10^4 Pa	
F ₁	F ₂	F	T	
1.2	1.2	96487 C/mol	300 K	
R	k _e	d	α_0	
8.3143 J/mol K	2.48×10^{-5} F/m	5.39×10^{-7} m/s	0.08 J/C	
S	L	m _o	D _o	
0.02 m ²	0.14 m	0.18 kg	0.08 m	
c	C ₀	C ₁	C _M	
0.03 m	0.6	4.7	4.5×10^{-5}	
k ₁	k ₂	k ₃	a ₁	
0.24	0.67	0.155	0.04 m	