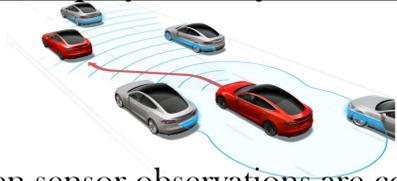


# Communication and security in cyber-physical systems

PI: Massimo Franceschetti, University of California San Diego

Co-PI: Jorge Cortés, University of California San Diego

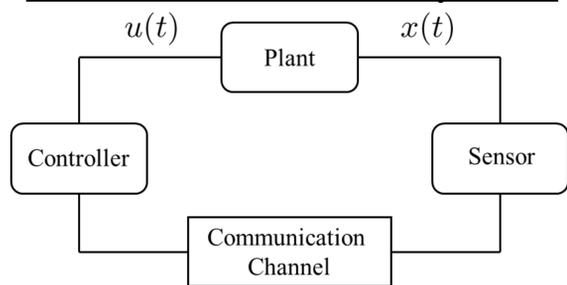
## Cyber-physical systems (CPS):



When sensor observations are corrupted by noise, subject to delay, and hijacked by attackers, can we still guarantee **safe operation** of the system?



## Networked Control System:



$$\dot{x} = Ax(t) + Bu(t) + w(t)$$

$$|w(t)| \leq M$$

## Event-triggered control:

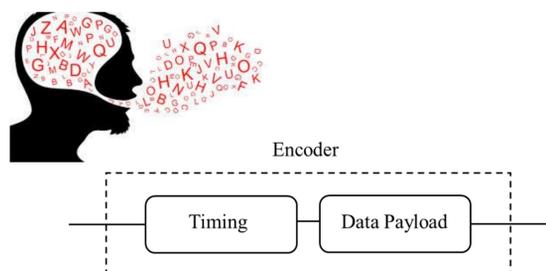
In CPS we need to use distributed resources efficiently

- Step 1: --
- Step 2: --
- Step 3: Bad Dog
- Step 4: --



## Timing information:

In the same way that subsequent pauses in spoken language are used to convey information, it is also possible to transmit information in communication systems not only by message content but also with its timing.



## Transmission with delay:

Packet transmission time  $t_s$

Packet reception time  $t_c$

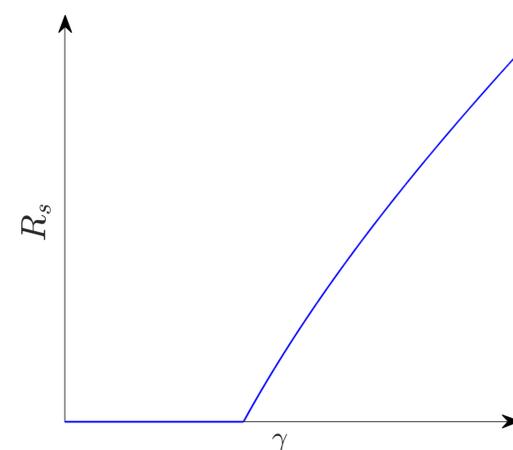
Delay

$$t_c - t_s \leq \gamma$$

$b_s(t)$ : number of bits in packets transmitted up to time  $t$

Information transmission rate

$$R_s = \limsup_{t \rightarrow \infty} \frac{b_s(t)}{t}$$



## Attacks on CPS:

Computer virus Stuxnet a 'game changer,' DHS official tells Senate



The New York Times

Israeli Test on Worm Called Crucial in Iran Nuclear Delay

Stuxnet Returns, Striking Iran with New Variant



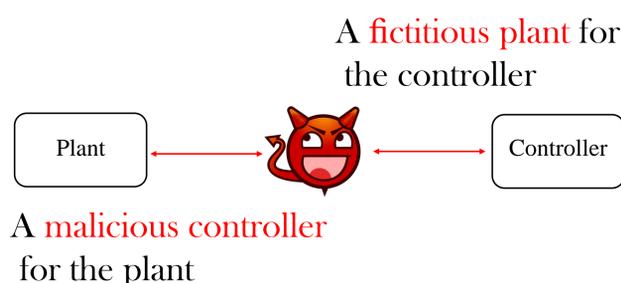
"Stuxnet has changed the way we view the security threat"

Symantec.

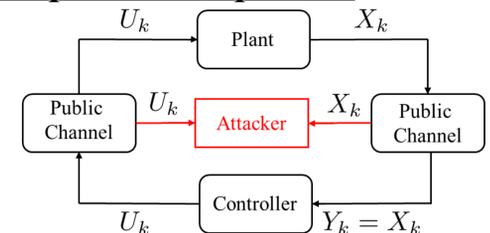
WIRED The US Tried to Stuxnet North Korea's Nuclear Program

## The man in the middle:

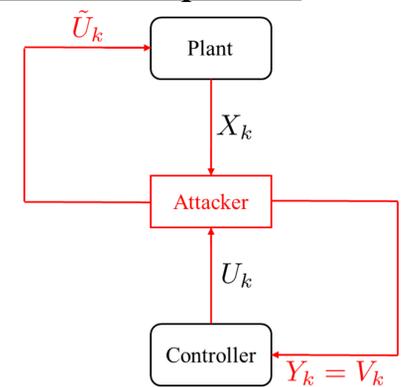
In network control systems, sensor observations and control signals can be hijacked.



## Exploration phase:



## Exploitation phase:



## The deception probability:

If  $A$  is distributed uniformly in  $[-R, R]$ , then letting  $Z_1^k = (X_1^k, U_1^k)$ , we have

$$\lim_{T \rightarrow \infty} P_{dec} \leq \frac{I(A; Z_1^L) + 1}{\log(R/\sqrt{\delta\beta})}$$

The **denominator** represents the intrinsic uncertainty of  $A$  when this is observed at resolution

$$\epsilon = \sqrt{\delta\beta}$$

corresponding to the entropy of the quantized random variable  $H(A_\epsilon)$ .

The **numerator** represents the information revealed about  $A$  from the observation of the random variable  $Z$ .

In addition, using the least-square learning algorithm, we also provided a lower bound on the deception probability.

## References:

- M. J. Khojasteh, M. Hedayatpour, J. Cortés, and M. Franceschetti, "Event-triggered stabilization over digital channels of linear systems with disturbances," arXiv preprint arXiv:1805.01969, 2018.
- M. J. Khojasteh, A. Khina, M. Franceschetti, and T. Javidi, "Authentication of cyber-physical systems under learning-based attacks," arXiv preprint arXiv: 1809.06023, 2018.