

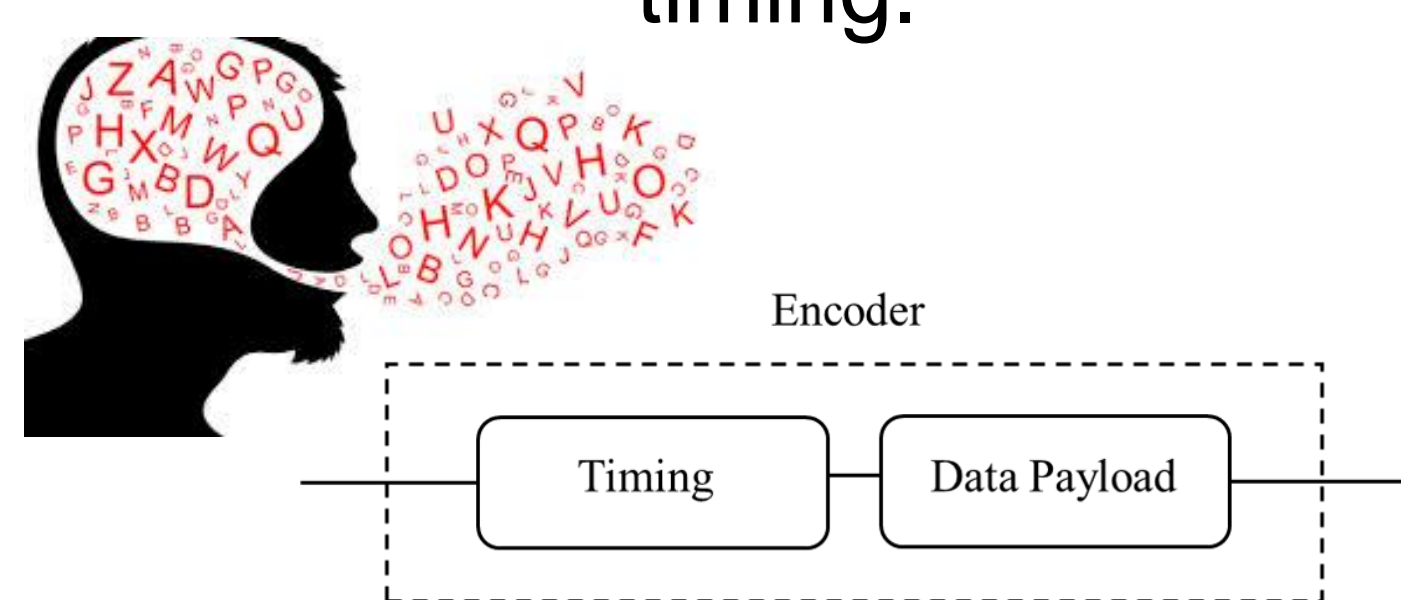
# Communication and security in cyber-physical systems

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## Timing information

In the same way that subsequent pauses in spoken language are used to convey information, it is also possible to transmit information in communication systems not only by message content but also with its timing.



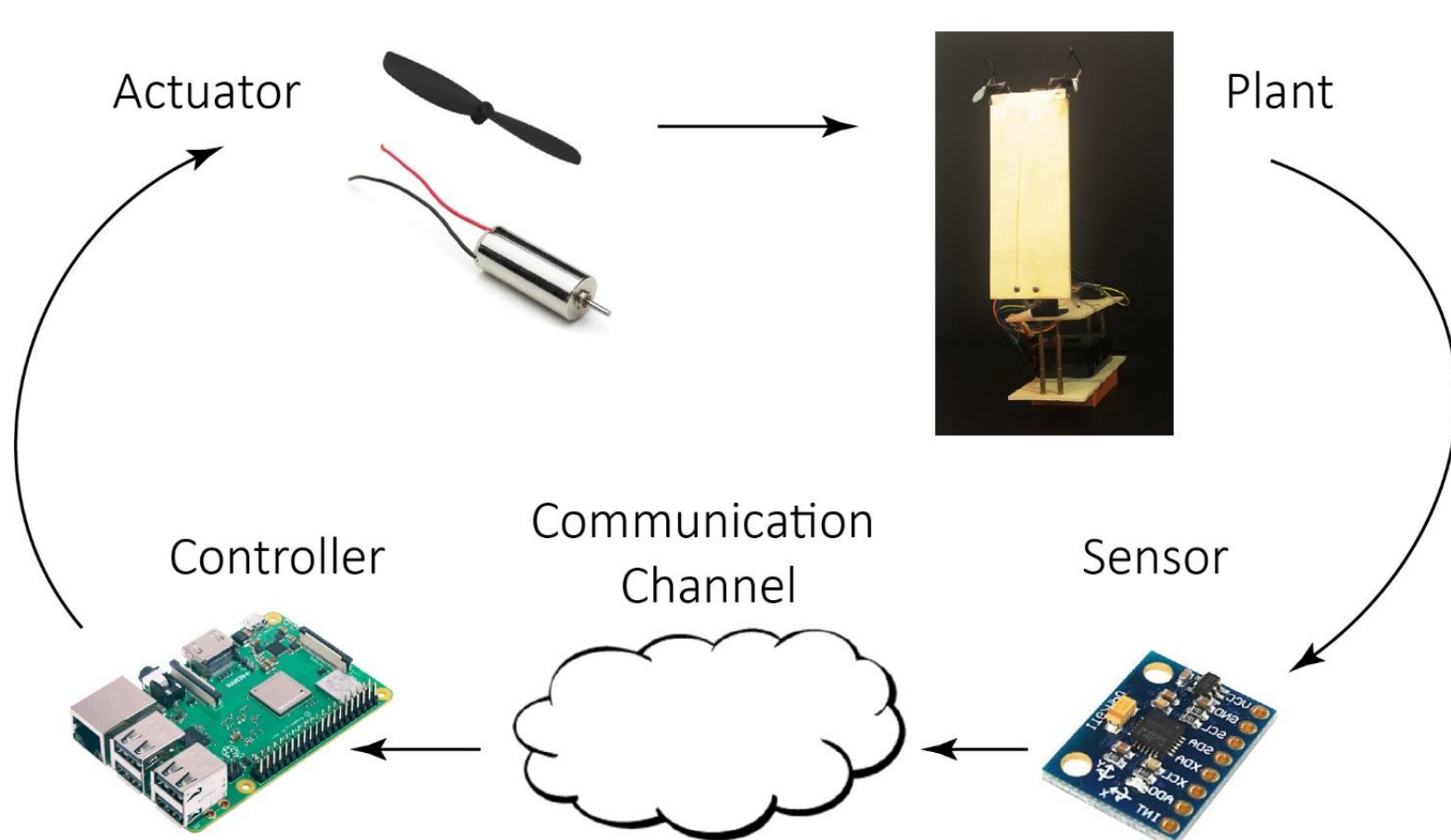
## Event-triggered control

In CPS we need to use distributed resources efficiently

- Step 1: --
- Step 2: --
- Step 3: Bad Dog
- Step 4: --



## Experimental Validation



Delay Upperbound = 6ms  
Packet Size = 1 bit

Number of Samples = 6541  
Number of Triggering = 170

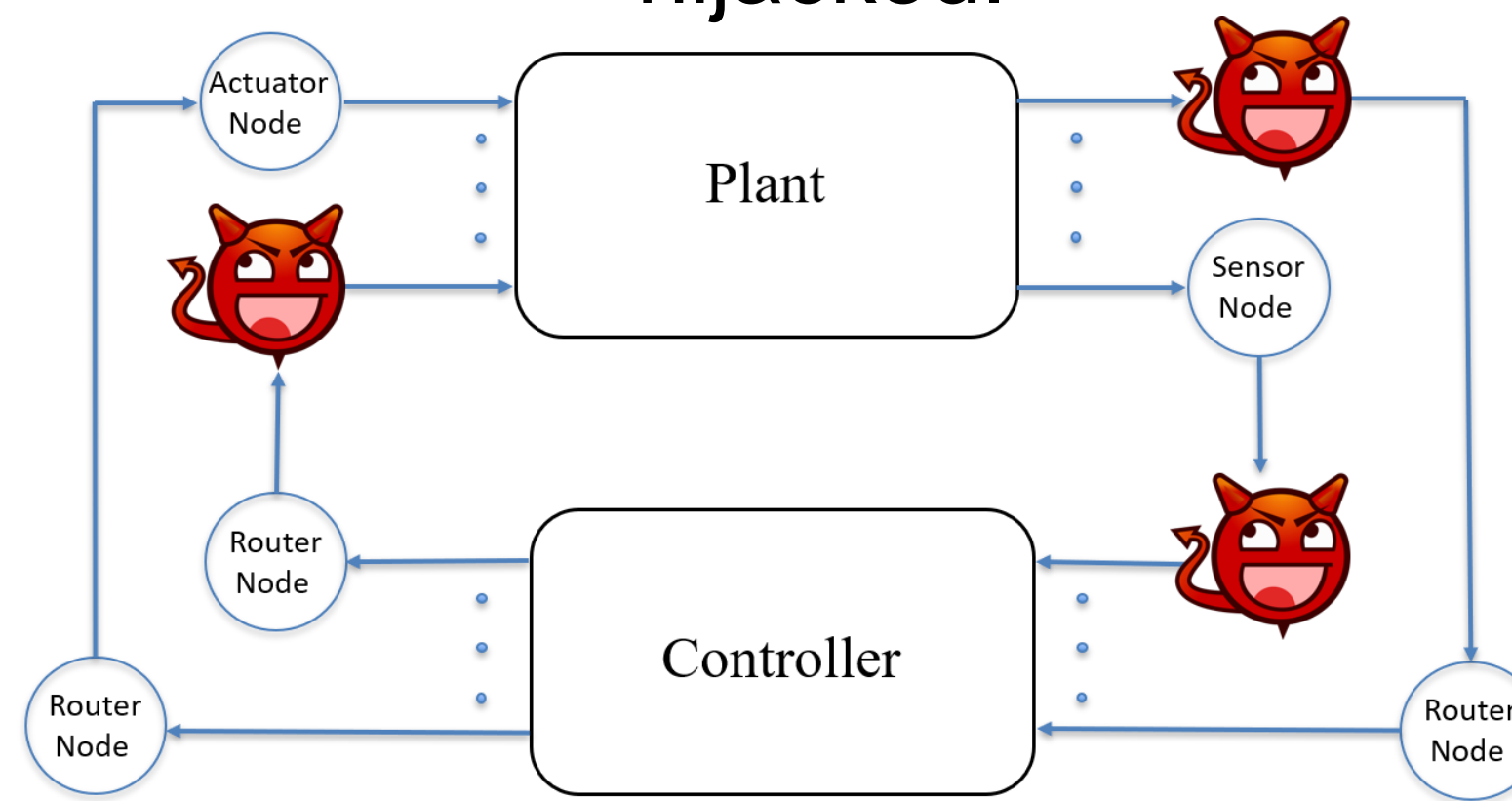
Information Transmission Rate  
**8.6633** bit/sec

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Entropy Rate of the System  
**10.5461** bit/sec

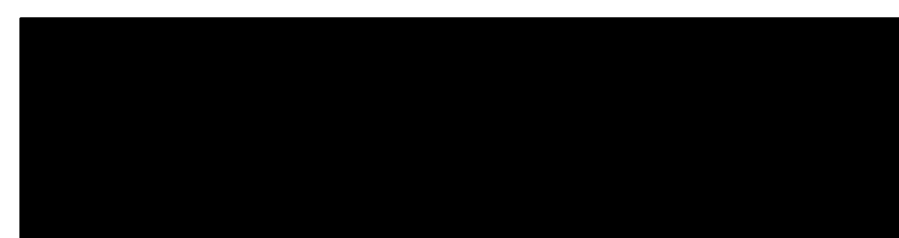
## Attacks on CPS

In network control systems, sensor observations and control signals can be hijacked.



## MITM attack types

### Replay



Y. Mo, B. Sinopoli (2009)

### Statistical-duplicate

$$X_{k+1} = aX_k + U_k + W_k$$

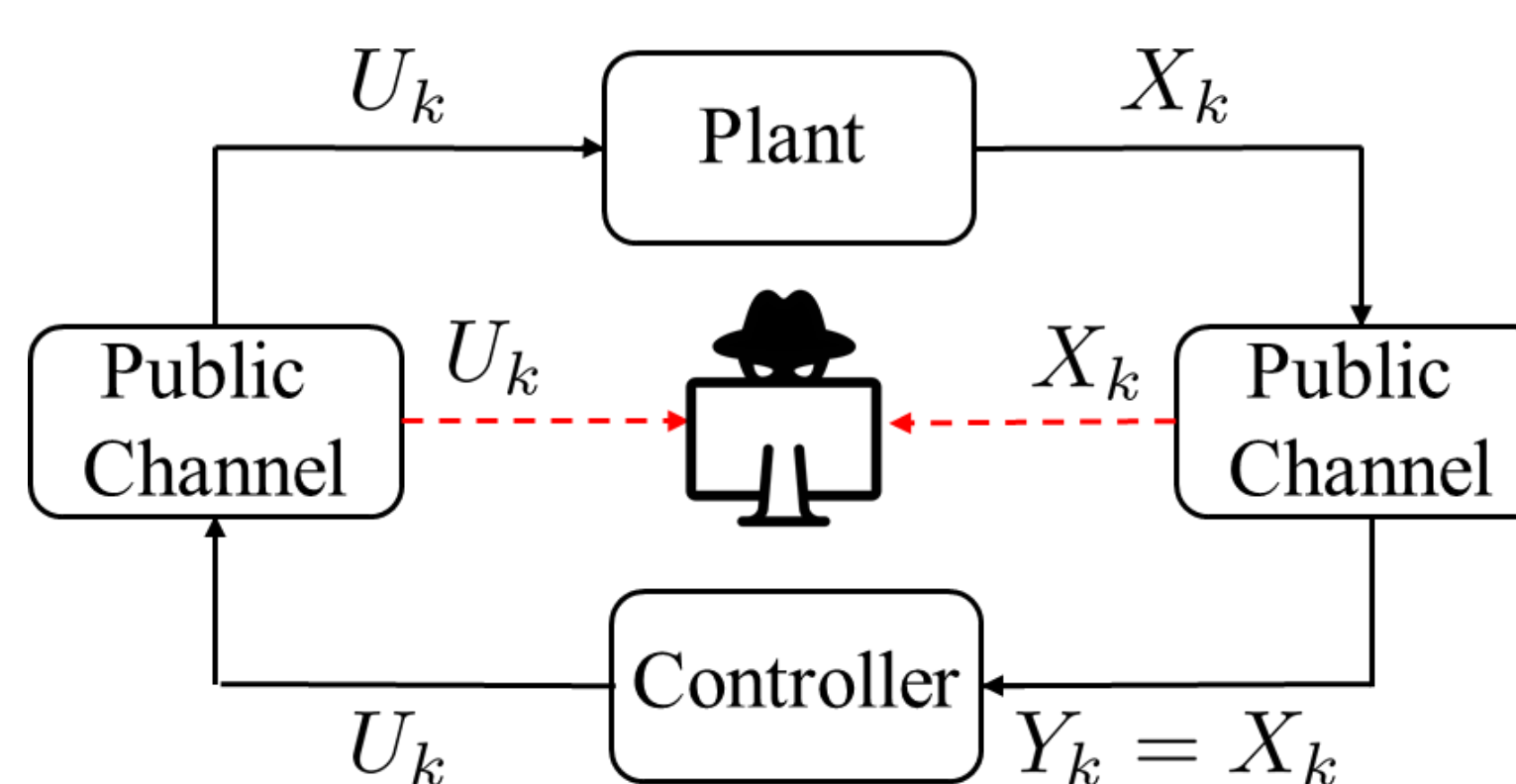
B. Satchidanandan, P. R. Kumar (2017)  
R. S. Smith (2011)

### Learning-based

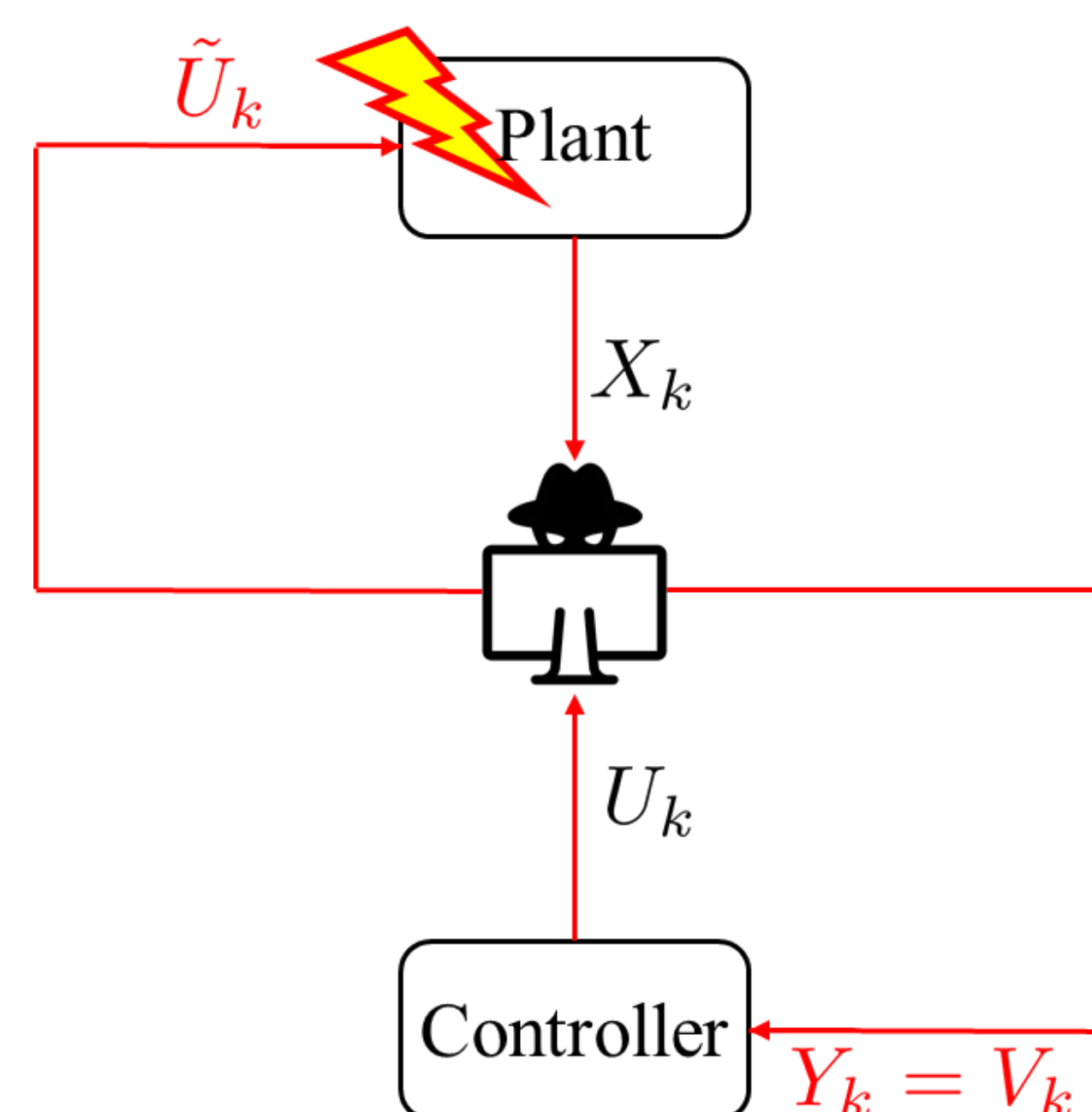
$$X_{k+1} = aX_k + U_k + W_k$$

M. J. Khojasteh, A. Khina, M. Franceschetti, T. Javidi (2019)

## Learning phase



## Hijacking phase

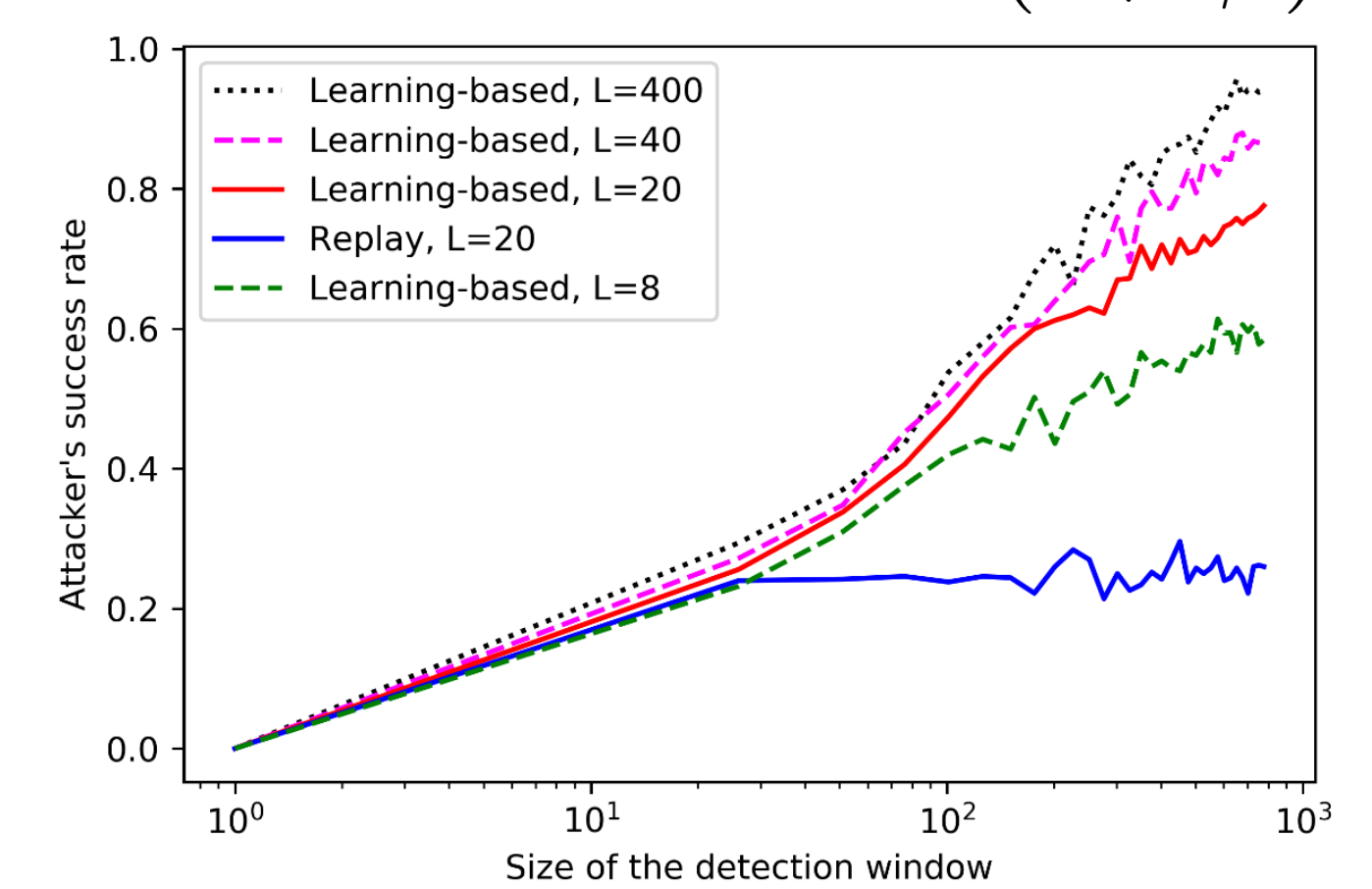


## The deception probability, lower bound

Least-square learning algorithm

$$\hat{A} = \frac{\sum_{k=1}^{L-1} (X_{k+1} - U_k) X_k}{\sum_{k=1}^{L-1} X_k^2}$$

$$\lim_{T \rightarrow \infty} P_{dec}^a \geq \frac{2}{1 - \frac{2}{(1+\delta\beta)^{L/2}}}$$



## The deception probability, upper bound

Assume the open-loop gain of the plant is a random variable

$$A \sim \text{Unif.}[-R, R]$$

whose distribution is known to the attacker, and whose realization is known to the controller. Then

letting

$$Z_1^k = (X_1^k, U_1^k)$$

we have

$$\lim_{T \rightarrow \infty} P_{dec} \leq \frac{I(A; Z_1^L) + 1}{\log(R/\sqrt{\delta\beta})}$$

## Privacy-enhancing signal

$$U_k = \bar{U}_k + \Gamma_k$$

