



NRI: Collaborative: Sketching Geometry and Physics Informed Inference for Mobile Robot Manipulation in Cluttered Scenes

4 PROGRESS

perception robotics grounded reasoning systems

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INTRODUCTION

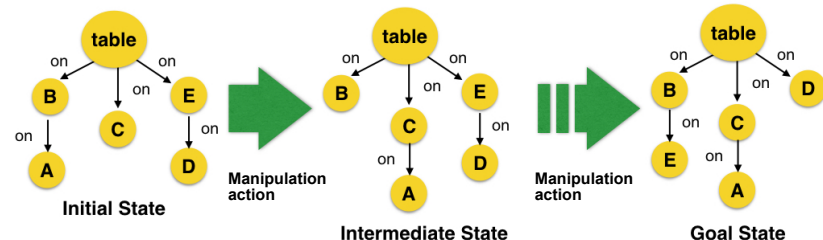
This project aims to enable autonomous **goal-directed robot manipulation** of cluttered scenes. Manipulation of objects in a complex cluttered scene demands accurate scene estimation [1, 3], particularly for object poses and geometries. Towards this end, we explore pose estimation and geometry data collection as the two principal activities of our project to develop: (1) physics-informed pose estimation methods (initially described [2]) and (2) object geometry extraction using sketch-based interfaces [5]. Our current results have been used to demonstrate manipulation in cluttered scenes with the Willow Garage PR2 and Fetch mobile manipulation platforms. We now factor this problem as a Markov Random Field due to the complexity and dimensionality of scenes. Our larger goal is to enable **Semantic Robot Programming** [9], where users demonstrate goals to autonomous robots as desired scene states in 3D semantic maps.



MOTIVATION

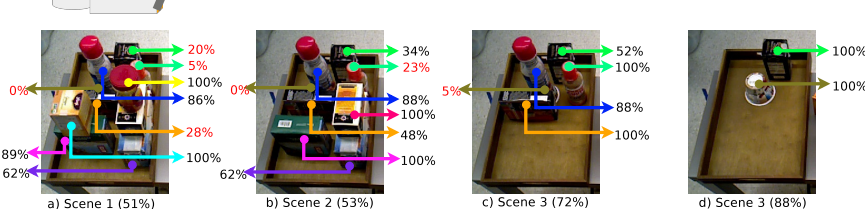
Goal-directed task planning

A scene graph representation is amenable to autonomous task execution by robots using descriptive planning languages [6,7] and motion planning [8]



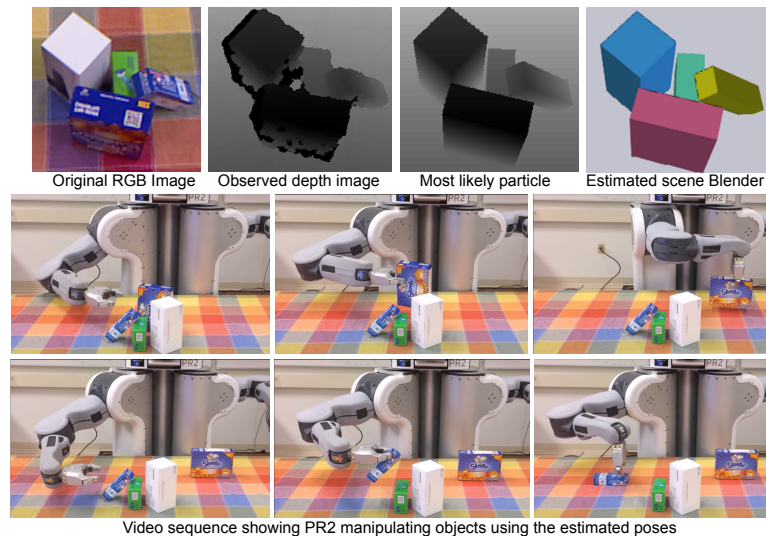
Measure of Clutteriness

We propose a measure to analyze the clutteriness of a scene using the proportion of scene object visibility.

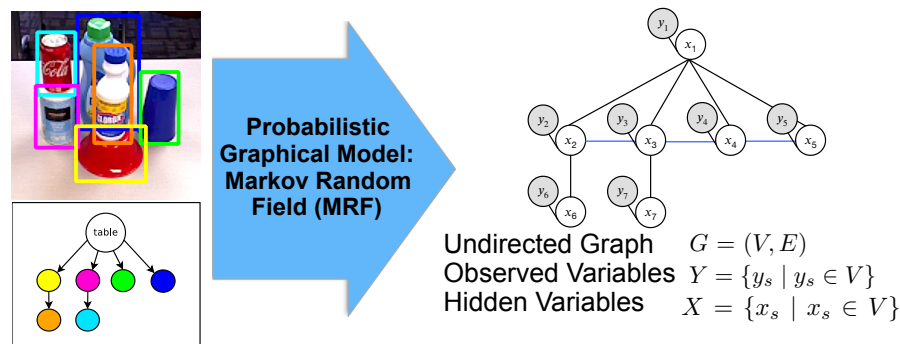


REFERENCES

PHYSICS INFORMED SCENE ESTIMATION [2] FOLLOWED BY MANIPULATION



NONPARAMETRIC SCENE ESTIMATION



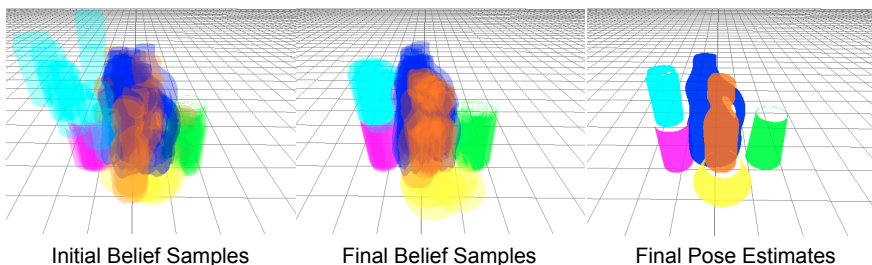
$$\text{Joint Probability Distribution: } p(x, y) = \frac{1}{Z} \prod_{(s,t) \in E} \psi_{s,t}(x_s, x_t) \prod_{s \in V} \phi_s(x_s, y_s)$$

Pairwise term Unary term

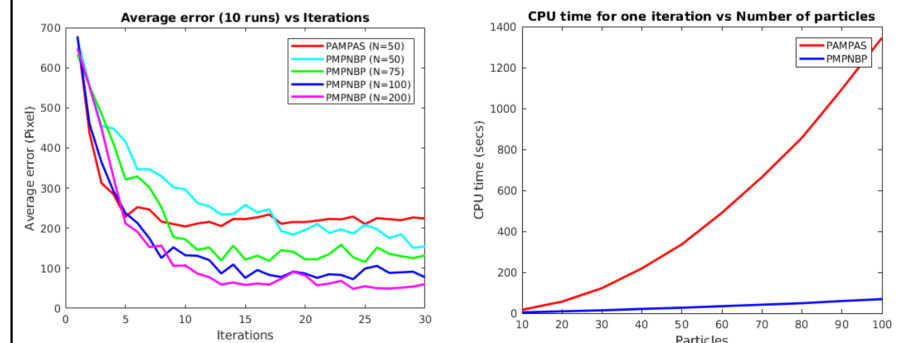
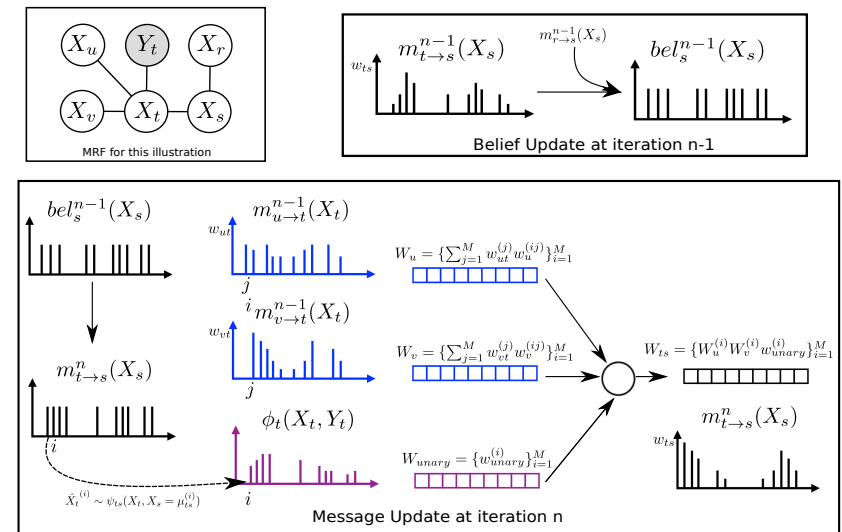
$$\text{Message Passing in Continuous domain: } m_{ts}(x_s) \leftarrow \int_{x_t \in \mathbb{R}^d} (\phi_t(x_t, y_t) \psi_{s,t}(x_s, x_t) \prod_{u \in \rho(t) \setminus s} m_{ut}(x_t) dx_t)$$

$$\text{Messages approximated as mixture of Gaussians and sampling techniques used to compute the update [10]} \quad m_{ts}(x_s) = \sum_{i=1}^M w_s^{(i)} \mathcal{N}(x_s; \mu_s^{(i)}, \Lambda_s^{(i)})$$

$$\text{Marginal Belief of each node: } b_s(x_s) \propto \phi_s(x_s) \prod_{t \in \rho(s)} m_{ts}(x_s)$$



PULL MESSAGE PASSING FOR NONPARAMETRIC BELIEF PROPAGATION (PMPNBP) [11]



POSE ESTIMATION OF ARTICULATED OBJECTS WITH PMPNBP

